

Process analysis of the Ranger mine

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Note

In this document the references are coded by Q-numbers (e.g. Q6). Each reference has a unique number in this coding system, which is consistently used throughout all publications by the author. In the list at the back of the document the references are sorted by Q-number. The resulting sequence is not necessarily the same order in which the references appear in the text.

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1 Introduction:

The objective of this paper is to validate the method used in the original study Storm&Smith 2008 [Q6] of estimating the energy consumption of the recovery of uranium from the earth's crust.

The method used in this study (Storm & Smith 2008 [Q6]) for calculating the energy consumption of the recovery of uranium from the earth's crust, has been derived from the study of Rotty et al. 1975 [Q95]. Rotty et al. in turn based their study on a thorough survey of a large number of uranium mines by the US Bureau of Mines in 1973. The Rotty study, adopted by the authoritative report ERDA 1976 [Q109], may be the most thorough and most reliable publication on the energy consumption of uranium mining up until today. Although the technology of mining and recovery of uranium has hardly changed since the 1970s, it seemed worthwhile to test this method by practical data from a currently operating large uranium mine. To this end the results of the Rotty method will be compared with the results of a in-depth process analysis of the Ranger uranium mine in Australia.

The Ranger mine has been chosen as study case for two reasons:

- Ranger is a large open pit mine with favourable conditions and one of the cheapest operating uranium mines in the world. If the Rotty method applies well at Ranger, we may assume it will apply at the world average uranium mine as well.
- In the open literature very little practical data on mining operations are available. Just enough data on the Ranger operations have been published by its owner to allow for a reasonably reliable process analysis.

Method

This paper describes the process analysis of the direct and indirect energy consumption of the Ranger uranium mine, based on physical and chemical data. The analysis starts from the data of the operations during 2005 as published by the owner of the mine, Energy Resources of Australia Ltd (ERA): ERA 2006 [Q320] and ERA-AR 2005 [Q321].

The ERA data give some clues on the direct energy consumption of Ranger. However, not all direct energy inputs are mentioned by ERA, as this analysis will reveal. The indirect energy inputs encompass the energy consumed in transports to and from Ranger and the energy embodied in material inputs, such as: equipment, spare parts, chemicals, lubricants and materials needed to construct and maintain the mine.

With two exceptions (explosives and sulfuric acid) ERA published no quantitative data on the material inputs of the Ranger mine. For that reason most indirect energy inputs had to be estimated via a physical/chemical analysis of the operations at Ranger and by implementing data from third sources.

2 Uranium production at Ranger in 2005 (ERA data)

Resources and grades

The data on the resources and grades of the ores at Ranger are not fully consistent.

Ranger Pit#1

mined out (May 1980 – Dec 1994)

20 million Mg ore mined, average $G = 0.327\%$

60 million Mg waste rock + very low-grade mineralised material

So: the overburden ratio $S = 60/20 = 3$

In 'ERA history':

19.78 million tonnes ore mined at an average grade $G = 0.321\%$

The question arises: which grade is the correct one?

Ranger Pit#3

Q320: 'Dec 2001: 22 million tonnes of ore in stockpile and in situ, at an average grade $G = 0.27\% \text{U}_3\text{O}_8$, containing 54241 tonnes U_3O_8 '

SvL: these figures are inconsistent

$$\text{either: } 22 \cdot 10^6 \cdot 0.0027 = 59400 \text{ Mg } \text{U}_3\text{O}_8$$

$$\text{or: } 54241 / 0.0027 = 20.09 \cdot 10^6 \text{ Mg ore}$$

$$\text{Also possible: } Y = 54241 / 59400 = 0.913$$

$$\Delta = 59400 - 54241 = 5159 \text{ Mg } \text{U}_3\text{O}_8$$

All material is transported to a radiometric discriminator (scintillometer heads) to determine the destination: crusher, stockpiles or waste rock stockpile

By reason of the similarity of Pit#1 and Pit#3 of the Ranger mine, we assumed the overburden ratio of the currently mined Pit#3 to be the same as of Pit#1, that is $S = 3$.

Water

New water treatment plant complete by December 2005. 1.2 million Mg/a. or 7000 Mg/day pond water or 4000 Mg/day process water, combined mode 6000 Mg/day.

Pond water = rain water run-off from stockpiles and other areas of the mine.

Process water has been used in the treatment of ore in the processing plant and requires more intensive treatment [Q321].

$$4000 \text{ Mg/day} \Rightarrow 4000 \cdot 365 = 1.46 \cdot 10^6 \text{ Mg/a}$$

$$6000 \text{ Mg/day} \Rightarrow 6000 \cdot 365 = 2.19 \cdot 10^6 \text{ Mg/a}$$

Fresh water make up not given.

Operating time and load factor

"For most of the year, operations continued 24 hours, seven days a week." [Q321]

"... one major shutdown was replaced with a series of smaller plant shutdowns, allowing increased maintenance efficiencies ..." [Q321]

Photo p. 7 [Q321]: 4 large dump trucks + 3 smaller ones + large shovel.

Q321 p.6

Milling capacity per operating hour

Mill 1 capacity = 216 Mg/h

Mill 2 capacity = 107 Mg/h

$$\text{sum} = 323 \text{ Mg/h}$$

1 year = 8760 h

If load factor $L_{100} = 1$:

Full year capacity $m(\text{ore}) = 323 \cdot 8760 = 2829480 \text{ Mg/year}$

Actually milled $m(\text{ore}) = 2293 \cdot 10^3 \text{ Mg}$

=> load factor $L = 2293/2829 = 0.8105$

=> Operating time = $0.8105 \cdot 8760 = 7100$ h/a

=> 1660 h not in operation = $1660/24 = 69$ days/year

This time is needed for maintenance and repair and is due to planned and unplanned outages

Likely the dump trucks and excavators have also a mean operating time of 7100 h/a.

Primary data

Table 1

Primary data of the Ranger uranium mine, valid for 2005, as given by ERA [Q320] and [Q321]. The last two columns have been added by the author.

quantity	value	unit	source		
mass of ore milled	2.293	Tg (10^6 Mg)	Q321		
processing recovery	89.2	%	Q321		
mass of U_3O_8 (drummed) produced	5910	Mg	Q321		
product grade of drummed U_3O_8	98.7	% U_3O_8	Q321	83.7	% U
average ore grade Pit#3	0.27	% U_3O_8	Q320	0.23	% U
processing head grade	0.288	% U_3O_8	Q321	0.244	% U
cutoff grade	0.12	% U_3O_8	Q321	0.10	% U
number of dump trucks (Caterpillar) + 4 Caterpillar 777D	6 4		Q320 Q321		
excavator Hitachi EX-2500 + Hitachi EX 1200	1 1		Q320 Q321		
explosives	0.25	kg/Mg rock	Q320		
sulphuric acid plant production capacity	250	Mg/day	Q320		
diesel fuel consumption electric station	50-60	Mg/day	Q320		
electric generating capacity	28	MW	Q320		
average electric power load	~ 10	MW	Q320		
water treatment, not in 2005	1.5	10^6 m ³ /a	Q321		
capacity haul trucks	90-135	Mg	Q320		

Basic data on diesel fuel and fuel oil

Diesel fuel

Energy content (LHV, lower heating value) $J_{th} = 36.0$ GJ/m³ = 42.9 GJ/Mg

density $d = 0,839$ Mg/m³

specific CO₂ emission $\gamma = 75$ g/MJ

Deduced data

Table 2

Deduced data of the Ranger uranium mine, valid for 2005, based on the ERA data (Table 1).

1 kg U_3O_8 contains 0.848 kg U

quantity	value	unit	remarks
ore mined at $G = 0.288\% U_3O_8$	2293	10^3 Mg	
mass of rock mined	9172	10^3 Mg	overburden $S = 3 + 1$ *)
mass of U_3O_8 in milled ore	6604	Mg	$= 2293 \cdot 10^3 \cdot 0.288$
mass of U in milled ore	5600	Mg	$= 6604 \cdot 0.848$
mass of U_3O_8 in drummed product	5833	Mg	$= 5910 \cdot 0.987$
recovery yield	0.8833		$= 5833/6604$ slightly lower than ERA figure (0.892)
recovered U (in drummed product)	4947	Mg	$= 5833 \cdot 0.848$
mass of U_3O_8 to tailings	771	Mg	$= 6605 - 5833$
electricity generated in 2005	315.36	TJ	$= (10 \cdot 3600 \cdot 24 \cdot 365) / 10^6$
diesel consumption, 50 Mg/day	18250	Mg/a	$= 50 \cdot 365$
diesel consumption, 60 Mg/day	21900	Mg/a	$= 60 \cdot 365$
stripping ratio S of Pit#3	3		assumed identical to pit#1
operation time (load factor)	7100	h/a	see section 2.3
haulage distance	5	km	see section 2.8

* See mass balance in Figure 1. Also mined y Gg ore, to stockpiles, at $G < 0.12\% U_3O_8$ cutoff grade plus $3y$ Gg overburden. These masses are not included in E balance of this paper. Mining and milling E input will be discounted for when these stockpiles would be processed.

** $S = \text{mass overburden} / \text{mass ore}$

From the ERA data a mass balance of Ranger can be deduced: see Figure 1. This mass balance is used in this analysis.

Mass balance

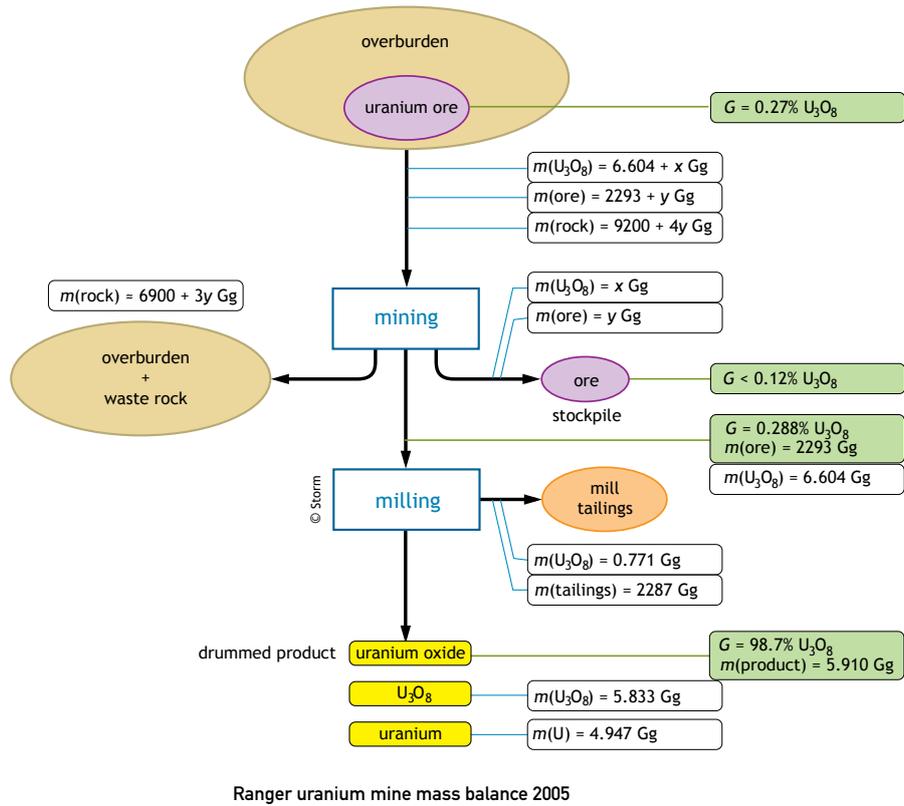
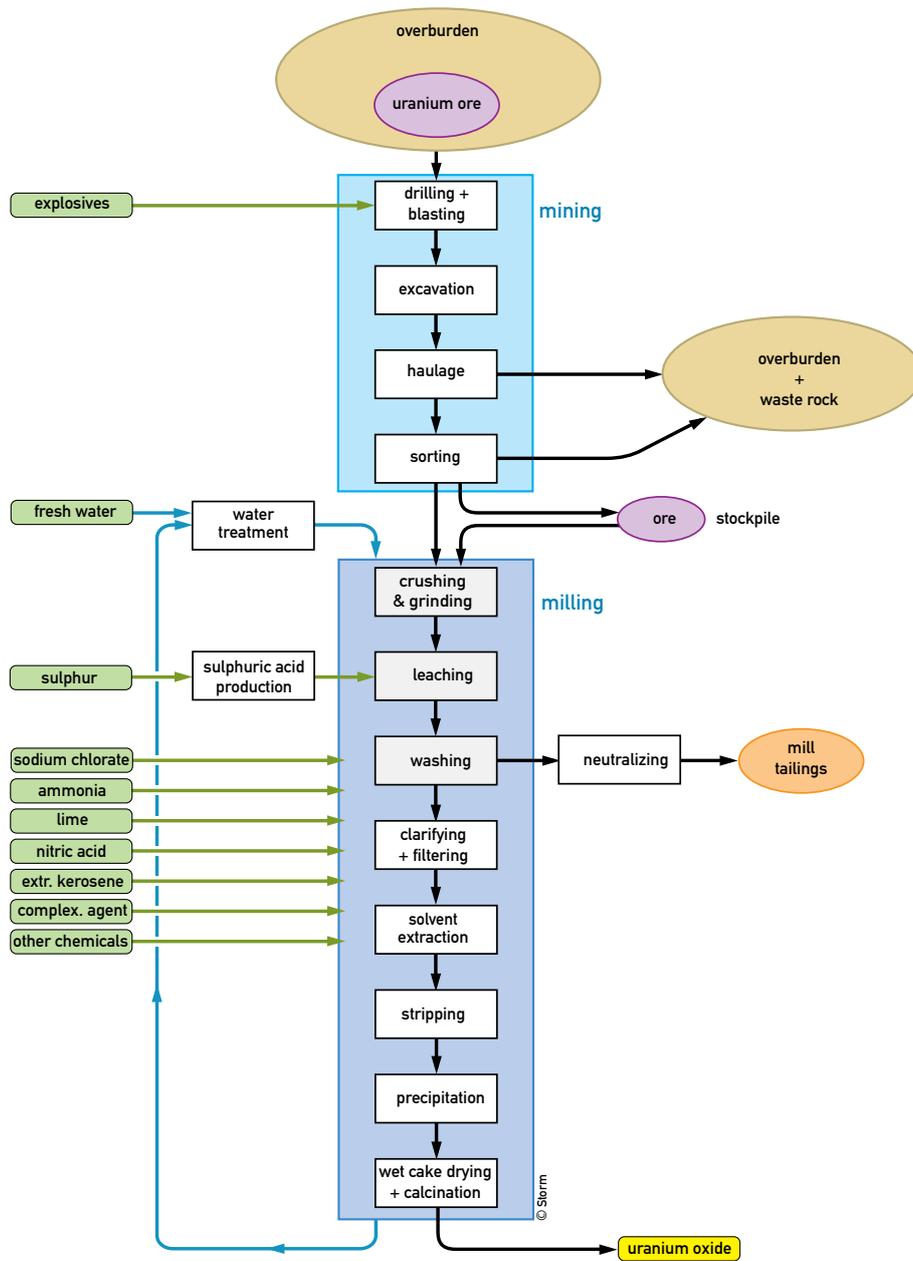


Figure 1

Mass balance of the Ranger uranium mine in 2005. The figures in the green shaded boxes are data from ERA Q320 and Q321. The figures in the white boxes are directly deduced from the ERA data.

Flowsheet of Ranger



Flowsheet Ranger uranium mine

Figure 2
Flowsheet of the Ranger mine, based on data from ERA 2006 [Q320].

Mining site

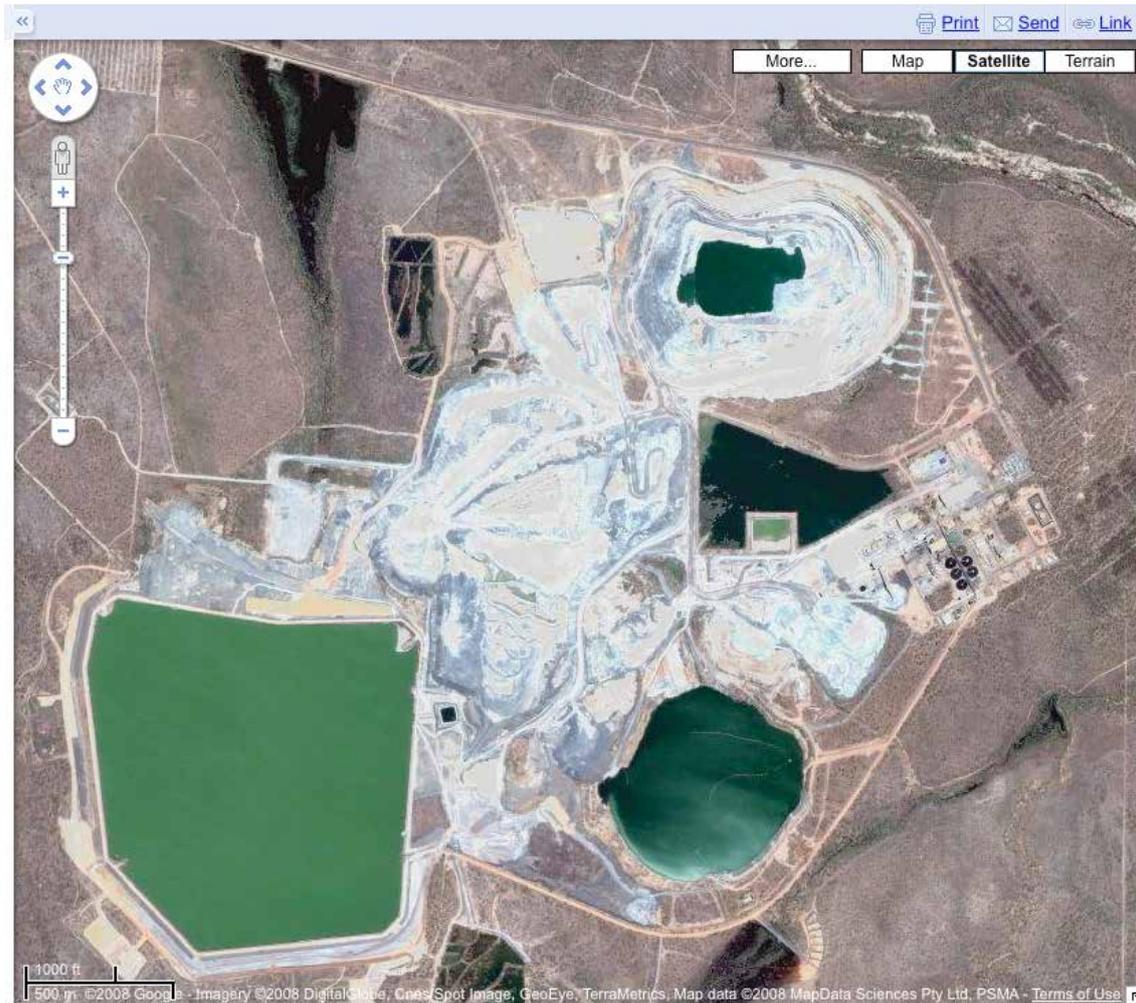


Figure 3

The Ranger mine from space (source: Google Earth). From this photo the distance can be estimated over which the waste rock and ore has to be transported by dump trucks: the haulage distance. In this study we assume an average haulage distance of $d = 5$ km.

3 Mining

Embodied energy in equipment

Estimate of the operational lifetime of dump trucks

Example

Generally, a personal car with 400000 km on its counter has to be replaced. The number of its operating hours is:

at an average speed $v = 60 \text{ km/h}$ $T_{100} = 400000/60 = 6667 \text{ h}$

if average speed $v = 50 \text{ km/h}$ $T_{100} = 400000/50 = 8000 \text{ h}$

Assume mining equipment has an operational lifetime of some 20000 hours.

Assume in case of the Ranger mine $T_{100} = 21300$ hours or 3 full seasons (= 3 years). Assume that after 21300 hours the dump trucks and excavators have to be fully replaced. In practice the engines, for instance, may have to be replaced at shorter intervals.

Hydraulic excavators have a much shorter lifetime than draglines (which operate some 40000 hours), so 21300 hours may be a reasonable guess.

According to Mortimer [Q98]

Energy investment of 1-6 m³ excavator $E = 1.6 \pm 0.20 \text{ TJ(th)}$

average 3.5 m³

Scaling up to 12 m³ bucket: $E = 4.8 \pm 0.6 \text{ TJ(th)}$

(assume 3x (1-6m³) and no scale effect)

per year: $J(\text{th}) = 4.8/3 = 1.6 \pm 0.2 \text{ TJ(th)/a}$

excavator with 6 m³ bucket: $E = 0.80 \pm 0.1 \text{ TJ/a}$

10-15 m³ pit truck $E = 1.3 \pm 0.50 \text{ TJ(th)}$

scaling up to 54 m³ capacity (= 135 Mg) $E = 4.68 \text{ TJ}$

assume modest scale effect $\Rightarrow E = 4.5 \pm 1.7 \text{ TJ}$

per year $J(\text{th}) = 4.5/3 = 1.5 \pm 0.6 \text{ TJ(th)}$

Drilling and blasting

Direct E

Mortimer [Q98] p.233-234

surface mining $J_e = 0.1 - 1.0 \text{ MJ/Mg}$

This study: $J_e = 0.6 \text{ MJ/Mg}$

mechanical energy equals electric energy $\Rightarrow J_{\text{mech}} = J_e$

Indirect E

Mortimer [Q98] p.233-234

surface mining $J_{\text{th}} = 1.8 - 20 \text{ MJ/Mg}$, excluding explosives

This study: $J_{\text{th}} = 11 \text{ MJ/Mg}$

Embodied in drill rigs, drill bits and for maintenance

Indirect CO₂ emission

The specific CO₂ emission from the indirect thermal energy input, assuming it is supplied as oil, is calculated according to the equation:

$$m(\text{CO}_2) = J_{\text{th}} (\text{MJ}) \cdot 75 \text{ g/MJ} \quad [\text{Q27}]$$
$$\Rightarrow m(\text{CO}_2) = 11 \cdot 75 = 0.825 \text{ kg CO}_2/\text{Mg rock}$$

Ranger

direct E

$$\text{Total mass mined } m(\text{rock}) = 9.172 \cdot 10^6 \text{ Mg}$$

$$\Rightarrow \text{Emech} = 9.172 \cdot 10^6 \cdot 0.6 = 5,503 \text{ TJ(e)}$$

drill rigs powered by diesel engines, assume conversion efficiency = 40%

$$\Rightarrow J_{\text{th}} = 0.6/0.40 = 1.5 \text{ MJ/Mg rock}$$

$$E_{\text{th}} = E_{\text{e}}/0.40 = 5,503 / 0.40 = 13.76 \text{ TJ(th)}$$

$$\text{diesel consumption} \quad V = 1.5/36.0 = 0.0417 \text{ L/Mg rock}$$

$$m = 0.0417 \cdot 0.839 = 0.0350 \text{ kg/Mg}$$

$$\text{direct} \quad m(\text{CO}_2) = 13.76 \cdot 75 = 1032 \cdot 10^6 \text{ g} = 1032 \text{ Mg CO}_2$$

indirect E

$$E_{\text{th}} = 9.172 \cdot 10^6 \cdot 11 = 100.9 \text{ TJ(th), excluding explosives}$$

$$\text{indirect } m(\text{CO}_2) = 9.172 \cdot 10^6 \cdot 0.825 \text{ kg CO}_2 = 7,567 \cdot 10^6 \text{ kg} = 7567 \text{ Mg}$$

$$\text{or:} \quad m(\text{CO}_2) = 100.9 \cdot 75 = 7567 \cdot 10^6 \text{ g} = 7567 \text{ Mg}$$

Sum direct + indirect E

$$J_{\text{th}} = 1.5 + 11 = 12.5 \text{ MJ/Mg rock mined.}$$

Explosives

Consumption of explosives at Ranger $m = 0.25 \text{ kg/Mg rock}$. Commonly used explosive in mining consists of ammonium nitrate NH_4NO_3 mixed with fuel oil. Kind of explosives used at Ranger not disclosed. Assume equivalent to pure ammonium nitrate in this study.

Embodied E

$$J_{\text{e}} = 15.35 \text{ GJ/Mg explosive}$$

$$J_{\text{th}} = 31.00 \text{ GJ/Mg}$$

$$J_{\text{e}} + J_{\text{th}} = 46.35 \text{ MJ/kg} \quad R = 2.02$$

if 0.25 kg explosive /Mg rock:

$$J_{\text{e}} = 3.84 \text{ MJ/Mg rock}$$

$$J_{\text{th}} = 7.75 \text{ MJ/Mg rock}$$

$$J_{\text{e}} + J_{\text{th}} = 11.59 \text{ MJ/Mg rock} \quad R = 2.02$$

Ranger

Mass of consumed explosives

$$m(\text{expl}) = 9.172 \cdot 10^6 \text{ Mg} \cdot 0.25 \text{ kg/Mg} = 2293 \cdot 10^3 \text{ kg} = 2293 \text{ Mg}$$

embodied E

$$E = 46.35 \cdot 2293 \cdot 10^3 = 106.3 \cdot 10^6 \text{ MJ} = 106 \text{ TJ} \quad R = J_{\text{th}}/J_{\text{e}} = 2.02$$

$$E_{\text{e}} = 35.20 \text{ TJ}$$

$$E_{\text{th}} = 71.08 \text{ TJ}$$

$$\text{indirect } m(\text{CO}_2) = 71.08 \cdot 75 = 5331 \cdot 10^6 \text{ g} = 5331 \text{ Mg}$$

The explosives are imported. Electric component are kept separated in energy balance, according to the Q6 methodology.

Total energy input drilling and blasting Ranger 2005

$$E_{th} = E_{dir} + E_{indir} + E_{expl} = 13.76 + 100.9 + 71.08 = 185.7 \text{ TJ(th)}$$

$$E_e = E_{expl} = 35.20 \text{ TJ(e)}$$

$$E_e + E_{th} = 220.94 \approx 221 \text{ TJ} \quad R = E_{th}/E_e = 5.28$$

$$\text{Total } m(\text{CO}_2) = 1032 + 7567 + 5331 = 13930 \text{ Mg}$$

Excavation

Direct E

Excavator

Hitachi EX2500 bucket capacity $12 \text{ m}^3 \approx 30 \text{ Mg}$
shaft power 1.044 MW

Hitachi EX1200 bucket capacity $6 \text{ m}^3 \approx 15 \text{ Mg}$
shaft power 0.567 MW

total mass rock excavated

$$m(\text{rock}) = 9.172 \cdot 10^6 \text{ Mg, during 7100 operating hours}$$

$$\text{per hour } m = 9.172 \cdot 10^6 / 7100 = 1292 \text{ Mg/h}$$

number of actions = $1292/45 = 28.7 \text{ actions/h}$ = sum of Hitachi EX2500 and Hitachi EX1200 actions (likely the Hitachi EX1200 is not used for loading dump trucks).

That would mean about 4 minutes per action per excavator.

conclusion: both excavators operate at about full power during 7100 h/a

$$\text{mechanical power} \quad P = 1.611 \text{ MW}$$

$$\text{mechanical energy} \quad E(\text{mech}) = 1.611 \cdot 3600 \cdot 7100 = 41.18 \cdot 10^6 \text{ MJ} = 41.18 \text{ TJ}$$

$$\text{mass of rock excavated: } m(\text{rock}) = 9172 \cdot 10^6 \text{ Mg}$$

=> specific energy consumption

$$J(\text{mech}) = J_e = 41.18 \cdot 10^6 \text{ MJ} / 9.172 \cdot 10^6 \text{ Mg} = 4.49 \text{ MJ/Mg rock}$$

Assume thermal efficiency = 40%

$$\Rightarrow J(\text{th}) = 4.49 / 0.40 = 11.23 \text{ MJ/Mg rock}$$

$$\text{direct } m(\text{CO}_2) = 11.23 \cdot 75 = 0.842 \text{ kg CO}_2/\text{Mg rock}$$

Ranger

$$\Rightarrow \text{total thermal energy } E_{th} = 41.18 / 0.40 = 102.95 \text{ TJ} = 102.95 \cdot 10^3 \text{ GJ}$$

$$\text{direct } m(\text{CO}_2) = 102.95 \cdot 75 = 7721 \text{ Mg}$$

diesel consumption

$$V = 102.95 \cdot 10^3 / 36.0 = 2860 \text{ m}^3$$

$$m = V \cdot 0.839 = 2399 \text{ Mg}$$

specific diesel consumption

$$v = 2860 / 9172 = 0.312 \text{ L/Mg}$$

$$m = 0.312 \cdot 0.839 = 0.262 \text{ kg/Mg rock}$$

Indirect E

- Embodied E of equipment

excavator 12 m ³ bucket	E = 4.8 ± 0.6 TJ(th)	life 3 years, 21300 operating hours
annual	J = 1.6 ± 0.2 TJ(th)/a	
excavator 6 m ³ bucket	E = 2.4 ± 0.3 TJ(th)	life 3 years, 21300 operating hours
annual	J = 0.8 ± 0.1 TJ(th)/a	

Specific E

Assume 1/3 of the mass excavated by the small excavator (3.057 Tg) and 2/3 by the large one (6.115 Tg).

$$\begin{aligned}\text{Embodied J(th)} &= 0.8 \cdot 10^{12} \text{ J} / 3.057 \cdot 10^6 \text{ Mg} = \\ &= 1.6 \cdot 10^{12} \text{ J} / 6.115 \cdot 10^6 \text{ Mg} = 0.262 \text{ MJ/Mg rock}\end{aligned}$$

- Maintenance (shop, lubricants, spare parts, tyres, etcetera)

Mortimer [Q98] p.240, Figure B.2 energy inputs motor scraping of earth

direct E (diesel) 14.6 MJ(th)/m³ excavated earth

indirect E: 3.8 MJ(th) /m³ earth

$$\Rightarrow \text{fraction indirect E} = 3.8 / 14.6 = 0.260$$

Mortimer used here primary energy units: electricity converted into fossil fuel, so R not known.

Assume the same fraction applies to excavators and to trucks

$$\text{direct E} \quad \text{J(th)} = 11.23 \text{ MJ/Mg rock}$$

$$\Rightarrow \text{indirect E (maintenance)} \quad \text{J(th)} = 0.260 \cdot 11.23 = 2.92 \text{ MJ/Mg rock}$$

Total indirect E

$$\text{equipment} \quad \text{Jth} = 0.262 \quad \text{MJ/Mg}$$

$$\text{maintenance} \quad \text{Jth} = 2.92$$

$$\text{sum} \quad \text{Jth} = 3.18 \quad \text{MJ/Mg rock}$$

$$\text{indirect} \quad m(\text{CO}_2) = 3.18 \cdot 75 = 0.239 \text{ kg CO}_2/\text{Mg rock}$$

Ranger

Direct E

$$\text{mechanical power} \quad P = 1.611 \text{ MW}$$

$$\text{mechanical energy} \quad E(\text{mech}) = E_e = 1.611 \cdot 3600 \cdot 7100 = 41.18 \cdot 10^6 \text{ MJ} = 41.18 \text{ TJ}$$

$$\text{thermal efficiency} = 40\% \quad E_{\text{th}} = 41.18 / 0.40 = 102.95 \text{ TJ}$$

$$\text{diesel consumption} \quad V = 102.95 \cdot 10^3 / 36.0 = 2860 \text{ m}^3$$

$$m = V \cdot 0.839 = 2399 \text{ Mg}$$

$$\text{direct CO}_2 \quad m(\text{CO}_2) = 102.95 \cdot 75 = 7721 \text{ Mg}$$

$$\text{Indirect E} \quad E_{\text{th}} = 3.18 \cdot 9.172 \cdot 10^6 = 29.17 \text{ TJ}$$

$$\text{indirect CO}_2 \quad m(\text{CO}_2) = 29.17 \cdot 75 = 2188 \text{ Mg}$$

Total energy consumption (thermal)

$$E_{\text{exc}} = E_{\text{dir}} + E_{\text{indir}} = 102.95 + 29.17 = 132.12 \text{ TJ(th)} = 132 \text{ TJ(th)} \text{ (rounded)}$$

$$m(\text{CO}_2) = 7721 + 2188 = 9909 \text{ Mg}$$

hauling distance $d = 5$ km, so:

$$J(\text{th}) = 1.64/5 = 0.328 \text{ MJ/Mg.km}$$

- Maintenance (shop, lubricants, spare parts, tyres, etcetera)

Mortimer [Q98] p.240, Figure B.2 energy inputs motor scraping of earth

direct E (diesel) $14.6 \text{ MJ(th)}/\text{m}^3$ excavated earth

indirect E: $3.8 \text{ MJ(th)}/\text{m}^3$ earth

$$\Rightarrow \text{fraction indirect E} = 3.8/14.6 = 0.260$$

Mortimer used here primary energy units: electricity converted into fossil fuel, so R not known.

Assume the same fraction indirectE/directE applies to haulage trucks

direct E $J(\text{th}) = 6.00 \text{ MJ/Mg.km}$

$$\Rightarrow \text{indirect E (maintenance)} \quad J(\text{th}) = 0.260 \cdot 6.00 = 1.56 \text{ MJ/Mg.km}$$

Total indirect E

equipment $J_{\text{th}} = 0.328 \text{ MJ/Mg.km}$

maintenance $J_{\text{th}} = 1.56 \text{ MJ/Mg.km}$

sum $J_{\text{th}} = 1.888 \text{ MJ/Mg.km}$

$$m(\text{CO}_2) = 1.888 \cdot 75 = 0.142 \text{ kg/Mg.km}$$

Ranger

direct E

hauled mass of rock $m = 9.172 \cdot 10^6 \text{ Mg}$

haulage distance $d = 5 \text{ km}$

mechanical energy = equivalent to electricity $J_e = 2.4 \text{ MJ/Mg.km}$

thermal conversion efficiency 40% $J_{\text{th}} = 6.00 \text{ MJ/Mg.km}$

total $E_e = E_{\text{mech}} = 2.40 \cdot 5 \cdot 9.172 \cdot 10^6 = 110.06 \text{ TJ}$

$$E_{\text{th}} = E_e / 0.40 = 275.16 \text{ TJ}$$

diesel $V = E_{\text{th}} / 36.0 = 275.16 \cdot 10^3 / 36.0 = 7543 \text{ m}^3$

$$m = V \cdot 0.839 = 6413 \text{ Mg}$$

$$m(\text{CO}_2) = 275.16 \cdot 75 = 20637 \text{ Mg}$$

Indirect E

$$E_{\text{th}} = 9172 \cdot 10^3 \cdot 5 \cdot 1.888 = 86.58 \text{ TJ}$$

$$m(\text{CO}_2) = 86.58 \cdot 75 = 6494 \text{ Mg}$$

Total haulage

$$E_{\text{haul}} = E_{\text{dir}} + E_{\text{indir}} = 275.16 + 86.58 = 361.72 = 362 \text{ TJ(th)}$$

$$m(\text{CO}_2) = 20637 + 6494 = 27131 \text{ Mg}$$

Summary of mining energy requirements

Table 3

Specific energy consumption of mining activities. Energy consumption per Mg mined rock. The figures of the direct energy input of excavation and haulage have been deduced in this study (Q6) from ERA data (Q320 and Q321) and from Q95 and Q98.

activity	direct <i>E</i> mechan.	direct <i>E</i> * thermal	indirect <i>E</i> electric	indirect <i>E</i> thermal	unit (mined rock)	reference
drilling	0.6	1.5	-	11	MJ/Mg	Q98
explosives	-	-	3.84 **	7.75 **	MJ/Mg	Q6, Q95, Q98
excavation	4.49	11.23	-	3.18	MJ/Mg	Q6, Q320, Q321, Q98
haulage	2.40	6.00	-	1.888	MJ/Mg.km	Q6, Q320, Q321, Q98

* If thermal the conversion ratio of the diesel engines $r = 40\%$

** Assumed consumption of explosives = 0.25 Kg/Mg rock

Table 4

Direct energy consumption at Ranger by the mining activities. Assumed overburden ratio $S = 3$ and haulage distance $d = 5$ km. Mass of mined rock $m = 9.172 \cdot 10^6$ Mg. Assumed thermal conversion ratio of the diesel engines $r = 40\%$. Excluding explosives

activity	mechanical direct <i>E</i> TJ	thermal direct <i>E</i> TJ	direct <i>E</i> diesel <i>V</i> (m ³)	direct <i>E</i> diesel <i>m</i> (Mg)	indirect <i>E</i> thermal TJ	dir <i>E</i> + indir <i>E</i> thermal TJ
drilling *	5.50	13.76	382	321	100.9	114.66
excavation	41.18	102.96	2860	2400	29.17	132.13
haulage	110.06	275.16	7643	6413	86.58	361.74
total	156.74	391.88	10886	9133	216.65	608.53

* Excluding explosives (see chemicals)

Table 5

Direct and indirect energy consumption at Ranger by the mining activities. Assumed overburden ratio $S = 3$ and haulage distance $d = 5$ km. Mass of mined rock $m = 9.172 \cdot 10^6$ Mg. Assumed thermal conversion ratio of the diesel engines $r = 40\%$. Mechanical energy equals electric energy.

activity	direct <i>E</i> electric TJ	direct <i>E</i> thermal TJ	indir <i>E</i> electric TJ	indir <i>E</i> thermal TJ	dir <i>E</i> +indir <i>E</i> thermal TJ	total CO ₂ Mg
drilling	5.50	13.76	-	100.9	114.66	8600
excavation	41.18	102.96	-	29.17	132.13	9910
haulage	110.06	275.16	-	86.58	361.74	27131
subtotal	156.74	391.88	-	216.65	608.53	45640
explosives	-	-	35.22	71.08	71.08	6303
total mining	156.74	391.88	35.22	287.73	679.61	51943

Diesel consumption $V = E_{th} \text{ (GJ)} / 36.0 \text{ (GJ/m}^3\text{)}$
 $m = V \cdot 0.839 \text{ (Mg/m}^3\text{)}$

Energy consumption of mining at Ranger

S = 3, d = 5 km). See also Table 5.

drilling + excav + haul	direct	E (th)	= 391.88 TJ
	indirect	E(th)	= 216.65
explosives	embodied	E(e)	= 35.22
	embodied	E(th)	= 71.08
sum mining	E(e)	= 35.22 TJ	
	E(th)	= 391.88 + 216.65 + 71.08	= 679.61 TJ
Grand total:	E(e) + E(th)	= 714.83 TJ	
	R = Eth/Ee	= 679.61/35.22	= 19.3

Mass of mined rock $m = 9.172 \cdot 10^6 \text{ Mg}$

Mass of mined ore $m = 2.293 \cdot 10^6 \text{ Mg}$

$\Rightarrow J_e + J_{th} = 714.83 / 9.172 \cdot 10^6 = 77.94 \text{ MJ/Mg rock}$ (depends on d and r)
 $J_e + J_{th} = 714.83 / 2.293 \cdot 10^6 = 311.74 \text{ MJ/Mg ore}$ (depends on S , d and r)
 $= 0.312 \text{ GJ/Mg ore}$

Energy production per Mg natural uranium

One reload charge $m(U) = 162.48 \text{ Mg}$
gross electricity production per relad $E_e(\text{gross}) = 25.86 \text{ PJ}$
gross electricity production per Mg U $J_e(\text{gross}) = 25.86 / 162.48 = 0.1592 \text{ PJ/Mg}$
 $= 0.1592 / 3.6 = 44.21 \cdot 10^6 \text{ kWh/Mg}$

CO₂ emission of the ore mining

$m(\text{CO}_2) = 51943 / 2.293 \cdot 10^6 = 5.66 \text{ kg CO}_2/\text{Mg rock}$
 $m(\text{CO}_2) = 51943 / 2.293 \cdot 10^6 = 22.65 \text{ kg CO}_2/\text{Mg ore}$
 $m(\text{CO}_2) = 51943 / 4957 = 10.500 \text{ Mg CO}_2/\text{Mg U}$
 $m(\text{CO}_2) = 10.500 \cdot 10^6 / 44.21 \cdot 10^6 = 0.2375 \text{ g CO}_2/\text{kWh}$

4 Discussion

The energy requirements of mining are determined by four main variables: the overburden ratio (= stripping ratio), the haulage distance, the thermal conversion efficiency of the diesel engines powering the mining equipment and the mass ratio of explosives over mined rock. Variations introduced by different types of mining equipment are left aside in this analysis.

A fifth important parameter is the hardness of the rock to be mined, e.g. sandstone or granite. As this factor of the mining energy consumption is difficult to quantify, it is ignored in this study. However, the variable rock properties may introduce considerable variations in the specific energy requirements of mining from mine to mine. Some consequences of the mining of harder rock are, among other:

- Higher wear of equipment, such as drill rigs and excavators, causing more time in the shop and a higher rate of replacement of components and higher use of consumables. These increased rates mean an

higher direct and indirect energy consumption per Mg rock mined.

- Higher specific consumption of explosives: harder rock needs more explosives per Mg rock. The Ranger mine uses 0.25 kg explosives per Mg rock, which figure is used in this study as a world average. Likely there are mines with a significant higher explosives consumption. Underground mines have a higher explosives consumption anyway.

The specific energy consumption of mining per Mg ore are given by the following equation 1:

$$J_{\text{mining}} = (S + 1) \cdot \{ (J_{\text{d+b}} + J_{\text{exc}} + d \cdot J_{\text{haul}}) / r + J_{\text{d+b}}(\text{indir}) + J_{\text{exc}}(\text{indir}) + d \cdot J_{\text{haul}}(\text{indir}) \} = (S + 1) \cdot \{ (5.09 + d \cdot 2.40) / r + 14.18 + x \cdot 46.35 + d \cdot 1.888 \} \quad \text{eq 1}$$

$$J_{\text{mining}} \quad [=] \text{ MJ}_{\text{th}} / \text{Mg ore}$$

Here is:	$J_{\text{d+b}}$	= direct mechanical energy input of drilling and blasting	(MJ _e /Mg ore)
	J_{exc}	= direct mechanical energy input of excavation	(MJ _e /Mg ore)
	J_{haul}	= direct mechanical energy input of haulage	(MJ _e /Mg ore)
	S	= overburden ratio (= stripping ratio)	
	d	= haulage distance	km
	r	= thermal conversion efficiency	
	x	= mass ratio explosives over mined rock	kg/Mg

In case of the Ranger mine $x = 0.25$ and equation 1 is reduced to:

$$J_{\text{mining}} = (S + 1) \cdot \{ (5.09 + d \cdot 2.40) / r + 25.77 + d \cdot 1.888 \} \quad \text{eq 2}$$

The direct energy input is mechanical, equivalent to electricity, and is converted into thermal energy units by the thermal conversion ratio r . The indirect energy input – to produce equipment, drill bits, explosives, etcetera – is partly electric, partly thermal. The thermal and electric energy inputs are added to in above equation. As the thermal/electric ratio R is known ($R = 19.3$), both components can easily be calculated from the result.

In the calculations of the energy inputs of Ranger, the electric and thermal inputs are kept separate, according to the methodology followed throughout the Q6 study. The indirect electric inputs are not converted into virtual primary energy units, as is done in most other studies.

The figures used in this study (Storm & Smith 2008 [Q6]) for estimating the energy consumption of the recovery of uranium from the earth's crust, have been adopted from the study of Rotty et al. 1975 [Q95]. The Rotty study in turn has been based on a thorough survey of a large number of uranium mines, open pit as well as underground, by the US Bureau of Mines in 1973. This survey can be considered to be the most thorough and most reliable examination of the energy consumption of uranium mining and milling known up until today.

In the Q6 study we adopted the Rotty figures as a world average of uranium mining and milling, for the following reasons:

- The figures are based on the most reliable and extensive data base available up until today and reflect the average of a number of open pit and underground mines.
- The technology of mining and recovery of uranium has hardly changed since the 1970s.
- As the Rotty figures are valid for soft rock mining only, one may expect not to overstate the energy consumption of the world average mine. After all, the world uranium mines include many with hard rock.

The figures for mining from Rotty et al 1975 [Q95] are:

$$J_{\text{mining}} = J_e + J_{\text{th}} = 1.056 \text{ GJ/Mg ore} \quad R = 8.0$$

Found in this analysis:

$$\text{Ranger } J_{\text{mining}} = J_e + J_{\text{th}} = 0.312 \text{ GJ/Mg ore}$$

$$R = 19.3$$

The specific energy consumption of mining at Ranger turns out significantly lower than the figure of Rotty, as expected for several reasons:

- The figures of Rotty are the average of a large number of underground and open cast mines.
- Underground mining is significantly higher energy-intensive than open pit mining.
- The ratio of waste rock to ore S varies widely among the surveyed mines and can be as high as 50.
- The haulage distances d may vary from one mine to another from a few kilometres to more than 200 km.
- Water pumping is not included in the Ranger figure, so the real figure may be higher.
- The specific consumption of explosives x may vary considerably from mine to mine. Underground mines, included in their Rotty figures, have a higher explosives consumption than open pit mines with the same type of rock.

The differences of the value of R (the thermal/electric ratio) between Rotty and Ranger can be explained by the fact that underground mining is mainly performed by electrically powered equipment. This causes a lower value of R . A second factor is that in some open pit mines electric drill rigs and electric excavators are applied, which draw their energy from the local grid.

The fact that the Rotty figures are based on the survey of a large number of real uranium mines was the reason to choose these figures as a world average in this study. Apparently the authors of the authoritative study ERDA 1976 [Q109] had similar considerations, as they also adopted the Rotty figures. Today there are still no better figures available in the literature, which could be applied as a world average.

Ranger has a large ore body, relatively rich ore ($G > 0.2\% \text{ U}$), a low overburden ratio of $S = 3$ and a low haulage distance: we assumed $d = 5 \text{ km}$. This distance is not disclosed by ERA and has been estimated from a satellite photograph. In addition we assumed a high conversion ratio of diesel engines ($r = 40\%$), the highest attainable ratio at the current state of technology. In practice this may be lower, e.g. $r = 30\%$. The large influence of this ratio is shown by Figure 4.

The Ranger mine is one of the cheapest producing uranium mines of the world, due to its favourable conditions and properties, so it is no surprise that the specific energy consumption per Mg ore at Ranger is lower than the world average of open pit mines, let alone underground mines.

The specific energy consumption figures in Table 3 are independent of the overburden ratio and the haulage distance.

By means of above equation 1 or 2 the conditions can be calculated at which an open pit mine similar to Ranger would have a specific energy consumption of mining as large as the Rotty figures. The graphs in Figure 4 show the large dependency of the mining energy on the three parameters S , d and r , with a fixed value of $x = 0.25$ (as at Ranger).

An overburden ratio of $S = 4$, a haulage distance of $d = 20 \text{ km}$ and a thermal efficiency of the diesel engines $r = 0.30$, for instance, can still be considered benign mining conditions in a global context.

Above analysis of the energy consumption of mining at Ranger demonstrates that the figures of Rotty will not lead to an overstated value of the global average mining energy consumption.

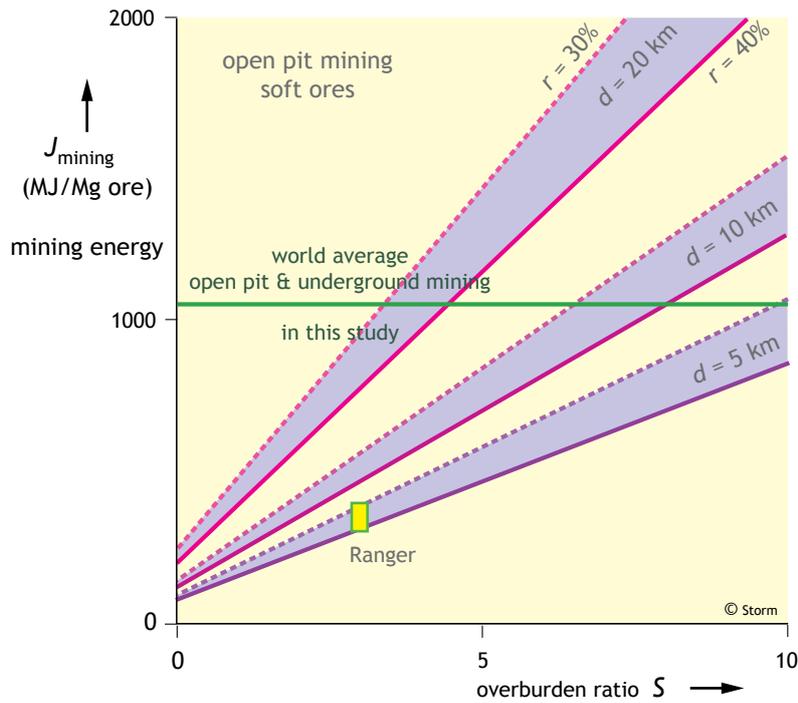


Figure 4

The mining energy consumption (MJ/Mg ore) as function of the overburden ratio S , at three different hauling distances and two different diesel engine efficiencies. In this diagram the explosives consumption is assumed $x = 0.25$ kg/Mg. At $x = 0.50$ kg/Mg the values of J_{mining} would increase by about 15% at short hauling distances (e.g. $d = 5$ km) to about 5% at longer hauling distances (e.g. $d = 20$ km).

There are mines with overburden ratios as high as 50. Hauling distances of up to 200 km are reported. Consequently the mining energy input at many mines in the world will be a multiple of the world average figure.

5 Ore processing

Crushing & grinding

Operating time, load factor

ERA-AR 2005 [Q321] p.6

Milling capacity per operating hour

Mill 1	capacity = 216 Mg/h
Mill 2	capacity = 107 Mg/h
sum	= 323 Mg/h

1 year = 8760 h

If load factor $L = 1$:

Full year capacity $m(\text{ore}) = 323 \cdot 8760 = 2829480$ Mg/year

Actually milled $m(\text{ore}) = 2293 \cdot 10^3$ Mg

=> load factor $L = 2293/2829 = 0.8105$

Operating time = $0.8105 \cdot 8760 = 7100$ h/a

Direct E

SAG mills (semi-autogeneous grinding) generally draw 2689-22800 hp power (Engineering and Mining Journal), = 3.6 – 31.0 MWe, depending on size.

11.8 m mill draws 18 MWe, capacity probably some 800 Mg/h (Equinox Copper)

so specific power could be about $18/8 = 2.25$ MW/100 Mg/h capacity

assume	Ranger mill #1 draws	$P = 4.9$ MWe
	Ranger mill #2 draws	$P = 2.4$ MWe
	sum	$P = P_{\max} = 7.3$ MWe

year average $P_{\text{av}} = L \cdot P_{\max} = 0.8105 \cdot 7.3 = 5.92$ MWe

Total electric E consumed by the mills during 7100 operating hours

$$E_e = 7.3 \cdot 3600 \cdot 7100 = 186.6 \cdot 10^6 \text{ MJ} = 186.6 \text{ Tj}(e)$$

Specific E consumption

$$m(\text{ore}) = 2293 \cdot 10^3 \text{ Mg}$$

$$J_e = 187 \cdot 10^6 \text{ MJ} / 2.293 \cdot 10^6 \text{ Mg} = 81.55 \text{ MJ/Mg}$$

This figure is used in this study.

Compare with Mortimer [Q98] p 252-254:

hard ores $J_e = 74.2 - 81.5$ MJ/Mg ore

soft ores $J_e = 10.6$ MJ/Mg ore

Indirect E

[Q98] p. 252

capital	$J_e = 3.03$	MJ/Mg ore
	$J_{\text{th}} = 22.72$	MJ/Mg ore
balls & rods	$J_e = 1.67$	MJ/Mg ore
	$J_{\text{th}} = 15.15$	MJ/Mg ore
sum	$J_e = 4.70$	MJ/Mg ore
	$J_{\text{th}} = 37.87$	MJ/Mg ore

$$J_e + J_{\text{th}} = 42.57 \text{ MJ/Mg ore}$$

$$R = J_{\text{th}}/J_e = 37.87/4.70 = 8.06$$

Maintenance not included.

Indirect CO₂ emission

The specific CO₂ emission from the indirect thermal energy input, assuming it is supplied as oil, is calculated according to the equation:

$$\begin{aligned} m(\text{CO}_2) &= J_{\text{th}} (\text{MJ}) \cdot 75 \text{ g/MJ} && [\text{Q27}] \\ \Rightarrow m(\text{CO}_2) &= 37.87 \cdot 75 = 2.840 \text{ kg CO}_2/\text{Mg ore} \end{aligned}$$

Ranger

Total E consumption crushing & grinding

direct E $E_e = 186.6$ Tj

This amount of electricity is generated on site by diesel-fuelled generators.

indirect E (imported materials and embodied E)

$$E_e = 4.70 \text{ MJ/Mg} \cdot 2.293 \cdot 10^6 \text{ Mg} = 10.78 \text{ Tj}$$

$$E_{\text{th}} = 37.87 \text{ MJ/Mg} \cdot 2.293 \cdot 10^6 \text{ Mg} = 86.84 \text{ Tj}$$

$$\begin{array}{ll} \text{sum} & E_e + E_{th} = 97.62 \text{ TJ} \\ & R = 8.06 \\ \text{indirect CO}_2: & m(\text{CO}_2) = 2.840 \cdot 2.293 \cdot 10^6 \text{ kg} = 6512 \text{ Mg} \\ \text{or:} & m(\text{CO}_2) = 86.84 \cdot 75 = 6513 \text{ Mg} \end{array}$$

Leaching

Acid leaching with sulfuric acid, pH 1.5, commonly occurs at ambient temperature.

Alkaline leaching at higher temperatures, 75-80°C. (Encyclopedia Britannica)

$$\text{pH} = 1.5 \Rightarrow c(\text{H}^+) = 0.032 \text{ mol/L}$$

$$c(\text{H}_2\text{SO}_4) = 0.016 \text{ mol/L} = 0.016 \cdot 98 = 1.6 \text{ g/L}$$

Direct E

Mortimer [Q98] p 252-254

acidic ore:

$$J_e = 42.4 \text{ MJ/Mg ore}$$

$$J_{th} = 230 \text{ MJ/Mg ore}$$

$$J_e + J_{th} = 272.4 \text{ MJ/Mg ore}$$

$$R = J_{th}/J_e = 230/42.4 = 5.42$$

alkaline ore

$$J_e = 9 - 190 \text{ MJ/Mg ore}$$

$$J_{th} = 107 - 376 \text{ MJ/Mg ore}$$

$$J_e + J_{th} = 116 - 566 \text{ MJ/Mg ore}$$

$$R = J_{th}/J_e = 11.9 - 2.0$$

The values of acidic leaching are about the average of the alkaline figures.

Check

Assume volume diluted acid (leaching liquid) $V = 1 \text{ m}^3$ per Mg ore

Assume leaching occurs at 80 °C and the slurry has to be heated from 25 → 80 °C, so:

$$\Delta T = 55 \text{ °C} = 55 \text{ K}$$

heat capacity aqueous solution $c_p = 4.2 \text{ J/g.K}$

heat capacity solids, assume equal to that of copper sulfate: $c_p = 120 \text{ J/mol.K}$

$$M(\text{CuSO}_4) = 160 \text{ g/mol}$$

$$\Rightarrow c_p = 120/160 = 0.75 \text{ J/g.K}$$

Heating the slurry $\Delta T = 55 \text{ K}$ would consume per Mg ore

$$\Delta H(\text{solids}) = 1 \cdot 0.75 \cdot 55 = 41 \text{ MJ/Mg}$$

$$\Delta H(\text{solution}) = 1 \cdot 4.2 \cdot 55 = 231 \text{ MJ/Mg}$$

$$\text{sum: } J_{th} = 272 \text{ MJ/Mg ore}$$

The above found value of J_{th} is nearly the same value as given by Mortimer.

Above approximation indicates that the values of Mortimer are plausible.

However, if the leaching is performed at ambient temperature, the thermal E input becomes zero. This analysis assumes a zero thermal input at Ranger.

Indirect E

Equal for acidic and alkaline ores

$$J_e = 1.5 \text{ MJ/Mg ore}$$

$$J_{th} = 10.6 \text{ MJ/Mg ore}$$

$$J_e + J_{th} = 12.1 \text{ MJ/Mg ore}$$

$$R = J_{th}/J_e = 10.6/1.5 = 7.07$$

Indirect CO₂ emission

The specific CO₂ emission from the indirect thermal energy input, assuming it is supplied as oil, is calculated according to the equation: $m(\text{CO}_2) = J_{th} (\text{MJ}) \cdot 75 \text{ g/MJ}$ [Q27].

$$\Rightarrow m(\text{CO}_2) = 10.6 \cdot 75 = 0.795 \text{ kg CO}_2/\text{Mg ore}$$

Ranger

Ranger has acidic ore.

Energy consumption excluding embodied E in chemicals.

Probably the acid leaching at Ranger occurs at ambient temperatures, so no direct thermal E input is needed.

Direct E

$$J_e = 42.4 \text{ MJ/Mg ore}$$

$$E_e = 2.293 \cdot 10^6 \text{ Mg} \cdot 42.4 \text{ MJ/Mg} = 97.2 \text{ TJ}(e)$$

This amount of E, probably consumed by pumps and stirrers, is to be generated by the Ranger generators.

indirect E

$$E_e = 2.293 \cdot 10^6 \text{ Mg} \cdot 1.5 \text{ MJ/Mg} = 3.44 \text{ TJ}(e)$$

$$E_{th} = 2.293 \cdot 10^6 \text{ Mg} \cdot 10.6 \text{ MJ/Mg} = 24.31 \text{ TJ}(th)$$

$$\text{sum } E_e + E_{th} = 27.75 \text{ TJ}$$

$$R = E_{th}/E_e = 24.31/3.44 = 7.07$$

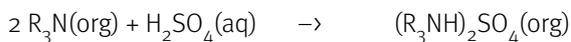
$$\text{indirect CO}_2: m(\text{CO}_2) = 0.795 \cdot 2.293 \cdot 10^6 = 1.823 \cdot 10^6 \text{ kg} = 1823 \text{ Mg}$$

Embodied E in chemicals is separately addressed in section 'Chemicals'.

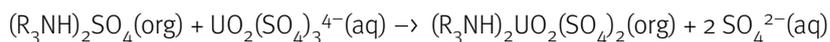
Extraction

Two methods: by solvent extraction and by ion exchange. At Ranger the solvent extraction method is applied.

The solvent extraction method uses tertiary amines in an organic solvent (a special grade of kerosene). First the amines in the organic phase, R₃N(org), react with sulfuric acid:



Then the amine sulfate extracts the uranyl ions from the aqueous phase into the organic phase. In case of the uranyl sulfate ion, the following reactions occur:



Then the uranium ions are removed from the organic phase into an acid aqueous solution in the strip section. By adding ammonia, to neutralize the strip solution, ammonium diuranate (NH₄)₂U₂O₇ is precipitated. Excess water is removed in the thickener section and then in a centrifuge. In the calciner the ammonium diuranate is calcined at 800 °C to produce uranium oxide U₃O₈.

Direct E

Mortimer [Q98] p.252-254

solvent extraction		$J_e = 3.6 \text{ MJ(e)/Mg ore}$	$J_{th} = 0$
ion exchange	acidic	$J_e = 71.2 \text{ MJ/Mg ore}$	$J_{th} = 0$
	alkaline	$J_e = 266 \text{ MJ/Mg ore}$	$J_{th} = 527 \text{ MJ/Mg ore}$

Indirect E

Mortimer [Q98] p.252-254

solvent extraction $J_e = 1.8 \text{ MJ(e)/Mg ore}$
 $J_{th} = 5.4 \text{ MJ/Mg ore}$

ion exchange $J_e = 1.8 \text{ MJ/Mg ore}$
 $J_{th} = 4.5 \text{ MJ/Mg ore}$

Solvent extraction. The specific CO_2 emission from the indirect thermal energy input, assuming it is supplied as oil, is calculated according to the equation:

$$m(\text{CO}_2) = J_{th} (\text{MJ}) \cdot 75 \text{ g/MJ} \quad [\text{Q27}].$$

=> $m(\text{CO}_2) = 5.4 \cdot 75 = 0.405 \text{ kg CO}_2/\text{Mg ore}$

Ranger

At Ranger the solvent extraction method is applied.

direct E $E_e = 2.293 \cdot 10^6 \text{ Mg} \cdot 3.6 \text{ MJ/Mg} = 8.25 \text{ TJ(e)}$
supplied by the Ranger generators

indirect E $E_e = 2.293 \cdot 10^6 \text{ Mg} \cdot 1.8 \text{ MJ/Mg} = 4.13 \text{ TJ(e)}$
 $E_{th} = 2.293 \cdot 10^6 \text{ Mg} \cdot 5.4 \text{ MJ/Mg} = 12.38 \text{ TJ(th)}$

sum direct E + indirect E, excluding chemicals

$$E_e = 8.25 + 4.13 = 12.38 \text{ TJ}$$

$$E_{th} = 12.38 \text{ TJ}$$

$$E_e + E_{th} = 24.76 \text{ TJ}$$

$$R = E_{th}/E_e = 1.00$$

indirect CO_2 emission: $m(\text{CO}_2) = 0.405 \cdot 2.293 \cdot 10^6 = 0.929 \cdot 10^6 \text{ kg} = 929 \text{ Mg}$

Drying wet cake and calcining yellow cake

Direct E

The last step of the uranium extraction process is drying the wet cake (the precipitate from the previous stage) to solid yellow cake, ammonium diuranate $(\text{NH}_4)_2\text{U}_2\text{O}_7$

At Ranger drying is combined by calcining the yellow cake at 800°C in an oil-fired multi-hearth calciner, into U_3O_8 (see flowsheet in [Q320]).

As no specific process data are available, this study roughly approximates the energy input of the drying and calcination process, as described below.

Water heat of vaporisation (at $\approx 100^\circ\text{C}$) $\Delta H = 40 \text{ kJ/mol}$ (Handbook of Chemistry & Physics, p. 6-10), or 2.22 MJ/kg

If we assume in yellow cake $U_3O_8 : H_2O = 1 : 4$ (this ratio is not given, but likely the ammonium diuranate precipitate is strongly hydrated)

$$\Rightarrow \text{per Mg } U_3O_8 \quad J_{th} = 4 \cdot 2.22 = 8.88 \text{ GJ/Mg } U_3O_8$$

Additional heat is consumed to heat mixture to 800 °C and to drive off the ammonia.

A very rough estimate of the energy to heat the yellow cake to 800 °C can be done if we assume the heat capacity of the yellow cake and uranium oxide to be of the same order of magnitude as of copper sulfate:

$$c_p = 120 \text{ J/mol.K}$$

$$m(U_3O_8) = 1 \text{ Mg}$$

$$n(U_3O_8) = 1/842 = 0.00119 \text{ Mmol}$$

$$\Delta T = 800 - 25 = 775 \text{ K}$$

$$\Rightarrow \Delta H = 0.00119 \cdot 775 \cdot 120 = 111 \text{ MJ/Mg}$$

The reaction enthalpy of the calcining process is not disclosed. In a rough approximation we assume it to be of the same order of magnitude as the reaction enthalpy of calcining calcium carbonate:

$$J_e = 0.07 \text{ GJ/Mg}$$

$$J_{th} = 8.4 \text{ GJ/Mg}$$

$$J_e + J_{th} = 8.47 \text{ GJ/Mg}$$

Based on a above assumptions, a rough estimate the energy consumption of the last step, drying and calcining, would be:

$$\text{drying} \quad J_{th} = 8.88 \quad \text{GJ/Mg } U_3O_8$$

$$\text{heating to } 800 \text{ °C} \quad J_{th} = 0.11 \quad \text{GJ/Mg } U_3O_8$$

$$\text{calcining} \quad J_{th} = 8.5 \quad \text{GJ/Mg } U_3O_8$$

$$\text{sum (rounded)} \quad J_{th} = 17.5 \quad \text{GJ/Mg } U_3O_8$$

This figure does not include the energy consumption of the thickener and centrifuge steps, probably electric, preceding the drying + calcining process.

Mortimer [Q98] p 252-254 gives as the specific energy consumption of drying (probably excluding calcination):

$$J_{th} = 175 - 190 \text{ GJ/Mg } U_3O_8$$

These values are much higher than above approximation, and may be based on the drying of the wet cake (precipitate) without thickener and centrifuge.

Here we adopt the lower figure, deduced above:

$$J_{th} = 17.5 \text{ GJ/Mg } U_3O_8$$

$$\text{or} \quad J_{th} = 17.5/0.848 = 20.6 \text{ GJ/Mg U}$$

assumed to include calcining at 800 °C.

As not all partial processes are included, this figure might be an underestimation.

Indirect E

Mortimer [Q98] p 252-254:

$$J_{th} = 3 - 4 \quad \text{GJ/Mg } U_3O_8$$

$$\text{or} \quad J_{th} = 3.5 - 4.7 \quad \text{GJ/Mg U}$$

In this study the low value is used: $J_{th} = 3.5 \text{ GJ/Mg U}$

The specific CO_2 emission from the indirect thermal energy input, assuming it is supplied as oil, is calculated according to the equation:

$$m(CO_2) = J_{th} (M) \cdot 75 \text{ g/M} \quad [Q27].$$

$$\Rightarrow m(\text{CO}_2) = 3.5 \text{ GJ} \cdot 75 = 0.2625 \text{ Mg CO}_2/\text{Mg U}$$

$$(\text{or } m(\text{CO}_2) = 0.263 \cdot 0.848 = 0.2226 \text{ Mg CO}_2/\text{Mg U}_3\text{O}_8)$$

Ranger

direct E

$$\begin{aligned} \text{To produce } m(\text{U}) &= 4947 \text{ Mg} \\ \text{Eth} &= 4947 \cdot 20.6 = 102 \text{ TJ} \\ m(\text{CO}_2) &= 102 \cdot 75 = 7650 \text{ Mg} \end{aligned}$$

Required fuel oil to fire the calciner

$$\begin{aligned} \text{combustion heat of fuel oil } J_{\text{th}} &= 36.00 \text{ GJ/m}^3 \\ \text{density } d &= 0.939 \text{ Mg/m}^3 \\ V(\text{oil}) &= 102 \cdot 10^3 / 36.00 = 2833 \text{ m}^3 \\ m(\text{oil}) &= 2833 \cdot 0.939 = 2661 \text{ Mg} \end{aligned}$$

Indirect E

$$\text{Eth} = 4947 \text{ Mg} \cdot 3.5 \text{ GJ/Mg} = 17.3 \text{ TJ}$$

sum direct E + indirect E, excluding chemicals

$$\begin{aligned} \text{Ee} &= 0 \text{ TJ} \\ \text{Eth} &= 102 + 17.3 = 119.3 \text{ TJ} \\ \text{indirect CO}_2 \text{ emission: } m(\text{CO}_2) &= 0.2625 \cdot 4947 = 1298 \text{ Mg} \\ &\text{or: } m(\text{CO}_2) = 17.3 \cdot 75 = 1298 \text{ Mg} \\ \text{direct + indirect } m(\text{CO}_2) &= 7650 + 1298 = 8948 \text{ Mg} \\ \text{specific } m(\text{CO}_2) &= 8948 / 4947 = 1.809 = 1.81 \text{ Mg CO}_2/\text{Mg U} \\ &\text{or: } m(\text{CO}_2) = (20.6 + 3.5) \cdot 75 = 1.808 = 1.81 \text{ Mg CO}_2/\text{Mg U} \end{aligned}$$

6 Embodied E in chemicals

Except of the sulfuric acid production, no data are available on the consumption of other chemicals by Ranger. The estimates below are based on stoichiometric considerations and on data from Rotty [Q95] and Mortimer [Q98].

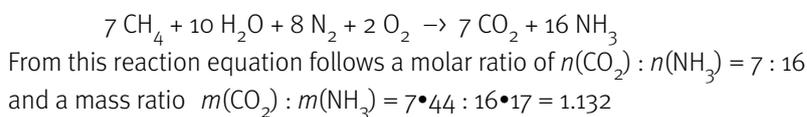
- **Ammonia NH₃**

Embodied E Ammonia NH₃

Mortimer cites only direct E input, so we use Rotty et al. 1975 [Q95] p.57:

$$\begin{aligned} J_e &= 35.9 \text{ GJ/Mg} \\ J_{\text{th}} &= 50.7 \text{ GJ/Mg} \\ J_e + J_{\text{th}} &= 86.6 \text{ GJ/Mg} \quad R = J_{\text{th}}/J_e = 1.41 \end{aligned}$$

Usually ammonia is in several steps produced from methane, water and air, according to the endothermic sum reaction:



The chemical CO₂ production, accompanying the ammonia production

$$m(\text{CO}_2) = 1.132 \text{ Mg CO}_2/\text{Mg NH}_3.$$

The specific CO₂ emission from the thermal energy input, assuming it is supplied as oil (could also be gas or coal, we take oil as a kind of average fuel), is calculated according to the equation:

$$m(\text{CO}_2) = J_{\text{th}} (\text{MJ}) \cdot 75 \text{ g/MJ} \text{ [Q27]}.$$

$$\Rightarrow m(\text{CO}_2) = 50.7 \cdot 75 = 3.803 \text{ Mg CO}_2/\text{Mg NH}_3$$

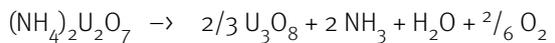
The total specific CO₂ emission is

$$m(\text{CO}_2) = 1.132 + 3.803 = 4.935 \text{ Mg CO}_2/\text{Mg NH}_3$$

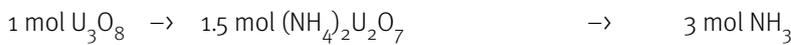
Ranger

Acid strip solution after the solvent extraction is neutralised with ammonia NH₃ (flowsheet Q320) to let precipitate ammonium diuranate (NH₄)₂U₂O₇

Calcining:



$$M = 624 \qquad M = 842 \text{ g/mol}$$



$$\text{recovered } m(\text{U}_3\text{O}_8) = 5833 \text{ Mg}$$

$$n(\text{U}_3\text{O}_8) = 5833 \text{ Mg}/842 \text{ g/mol} = 6.93 \text{ Mmol}$$

stoichiometric minimum

$$n(\text{NH}_3) = 3 \cdot 6.93 = 20.8 \text{ Mmol}$$

$$m(\text{NH}_3) = 20.8 \cdot 17 = 353 \text{ Mg}$$

In process excess NH₃ needed to neutralise acid solution, if we assume 2x stoichiometric ratio (may be a low estimate, as the strip solution is rather diluted in uranium ions)

$$\Rightarrow \text{consumed } m(\text{NH}_3) = 706 \text{ Mg}$$

$$\text{specific: } m(\text{NH}_3) = 706/5833 = 0.121 \text{ Mg NH}_3/\text{Mg U}_3\text{O}_8$$

Embodied E

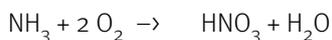
$$E_e = 706 \cdot 35.9 = 25.35 \text{ TJ}$$

$$E_{\text{th}} = 706 \cdot 50.7 = 35.79 \text{ TJ}$$

$$m(\text{CO}_2) = 4.935 \cdot 706 = 3484 \text{ Mg CO}_2$$

- **Nitric acid HNO₃**

Nitric acid is produced from ammonia according to the sum reaction:



$$M = 17 \qquad M = 63 \text{ g/mol}$$

$$\text{molar ratio } n(\text{NH}_3) : n(\text{HNO}_3) = 1 : 1$$

$$\text{mass ratio } m(\text{NH}_3) : m(\text{HNO}_3) = 17 : 63 = 0.270$$

$$\text{embodied E from NH}_3 \quad J_e = 0.270 \cdot 35.9 = 9.69 \quad \text{GJ/Mg HNO}_3$$

$$J_{\text{th}} = 0.270 \cdot 50.7 = 13.69 \quad \text{GJ/Mg HNO}_3$$

$$\text{direct E Mortimer [Q98] p.34} \quad J_e = 0.11 \quad \text{GJ/Mg}$$

$$J_{\text{th}} = 12 \quad \text{GJ/Mg}$$

$$\text{sum:} \quad J_e = 9.69 + 0.11 = 9.80 \quad \text{GJ/Mg}$$

$$J_{\text{th}} = 13.69 + 12 = 25.69 \quad \text{GJ/Mg}$$

$$J_e + J_{\text{th}} = 35.49 \quad \text{GJ/Mg}$$

$$R = J_{th}/J_e = 25.69/9.80 = 2.62$$

The chemical CO₂ production from the NH₃ production is:

$$m(\text{CO}_2) = 0.270 \cdot 4.935 = 1.332 \text{ Mg CO}_2/\text{Mg HNO}_3$$

The specific CO₂ emission from the direct thermal energy input, assuming it is supplied as oil, is calculated according to the equation:

$$m(\text{CO}_2) = J_{th} (\text{MJ}) \cdot 75 \text{ g/MJ} \quad [\text{Q27}]$$

$$\Rightarrow m(\text{CO}_2) = 13.69 \cdot 75 = 1.027 \text{ Mg CO}_2/\text{Mg HNO}_3$$

The total specific CO₂ emission is

$$m(\text{CO}_2) = 1.132 + 1.027 = 2.159 \text{ Mg CO}_2/\text{Mg HNO}_3$$

Ranger

At Ranger HNO₃ is used in the stripping solution after solvent extraction. No data are disclosed by ERA.

If we assume that the stripping solution, from which the ammonium diuranate will be precipitated, contains the equivalent of 10 g/L U₃O₈ and has pH = 3, the amount of consumed HNO₃ can be roughly approximated.

$$m(\text{U}_3\text{O}_8) = 5833 \text{ Mg}$$

$$\Rightarrow V(\text{solution}) = 5833 \cdot 10^3 \text{ kg} / 10 \text{ kg/m}^3 = 5.833 \cdot 10^5 \text{ m}^3$$

$$\text{pH} = 3 \Rightarrow c(\text{HNO}_3) = 1 \cdot 10^{-3} \text{ mol/L} = 0.063 \text{ g/L} = 0.063 \text{ kg/m}^3$$

$$\Rightarrow m(\text{HNO}_3) = 36.75 \cdot 10^3 \text{ kg} = 37 \text{ Mg, just to get the pH at 3.}$$

In addition HNO₃ is consumed in the reaction of the organic complex from the kerosene into ammonium diuranate.

$$\text{Above calculated } n(\text{NH}_3) = 20.8 \text{ Mmol}$$

$$n(\text{HNO}_3) = n(\text{NH}_3) = 20.8 \text{ Mmol}$$

$$m(\text{HNO}_3) = 20.8 \cdot 63 = 1310 \text{ Mg}$$

$$\Rightarrow \text{total mass of nitric acid consumed } m(\text{HNO}_3) = 1350 \text{ Mg}$$

This amount corresponds with a specific nitric acid consumption of:

$$m(\text{HNO}_3) = 1350/4947 = 0.273 \text{ Mg/Mg U}$$

and a contribution to the CO₂ emission of:

$$m(\text{CO}_2) = 2.159 \cdot 0.273 = 0.589 \text{ Mg CO}_2/\text{Mg U}$$

Embodied E

$$E_e = 1350 \cdot 9.80 = 13.23 \text{ TJ}$$

$$E_{th} = 1350 \cdot 25.69 = 34.68 \text{ TJ}$$

$$m(\text{CO}_2) = 2.159 \cdot 1350 = 2915 \text{ Mg CO}_2$$

- **Ammonium nitrate NH₄NO₃**

Embodied energy calculated starting from NH₃



$$M(\text{NH}_3) = 17 \quad M(\text{HNO}_3) = 63 \quad M(\text{NH}_4\text{NO}_3) = 80 \text{ g/mol}$$

$$1 \text{ Mg NH}_4\text{NO}_3 \text{ formed from: } 17/80 = 0.2125 \text{ Mg NH}_3 + 63/80 = 0.7875 \text{ Mg HNO}_3$$

embodied E

$$J_e(\text{NH}_3) = 0.2125 \cdot 35.9 = 7.63 \text{ GJ/Mg}$$

$$J_e(\text{HNO}_3) = 0.7875 \cdot 9.80 = 7.72 \text{ GJ/Mg}$$

$$\text{sum } J_e = 15.35 \text{ GJ/Mg}$$

$$J_{th}(\text{NH}_3) = 0.2125 \cdot 50.7 = 10.77 \text{ GJ/Mg}$$

$$J_{th}(\text{HNO}_3) = 0.7875 \cdot 25.69 = 20.23 \text{ GJ/Mg}$$

$$\text{sum } J_{th} = 31.00 \text{ GJ/Mg}$$

$$J_e + J_{th} = 46.35 \text{ GJ/Mg}$$

$$R = J_{th}/J_e = 31.00/15.35 = 2.02$$

If assumed no direct E is needed to produce ammonium nitrate from ammonia and nitric acid, for it is an exothermic reaction, the CO₂ production is entirely due to the production of NH₃ and HNO₃.

The chemical CO₂ production from the NH₃ production is:

$$m(\text{CO}_2) = 0.2125 \cdot 4.935 = 1.049 \text{ Mg CO}_2/\text{Mg NH}_4\text{NO}_3$$

and from the HNO₃ production:

$$m(\text{CO}_2) = 0.7875 \cdot 2.159 = 1.700 \text{ Mg CO}_2/\text{Mg NH}_4\text{NO}_3$$

The total specific CO₂ emission is

$$m(\text{CO}_2) = 1.049 + 1.700 = 2.749 \text{ Mg CO}_2/\text{Mg NH}_4\text{NO}_3$$

If J_e + J_{th} is converted into primary energy units, as in the Mortimer study [Q98], then:

$$J_{th} = 3 \cdot 15.35 + 31 = 77 \text{ MJ/kg}$$

Mortimer [Q98] cites for an unspecified explosive:

$$J_{emb} = J_e + J_{th} = 0.87 + 70 = 71 \text{ MJ/kg} \quad R = J_{th}/J_e = 70/1 = 70$$

In this study we assume the embodied energy of explosives to be the same as of ammonium nitrate:

$$J_e = 15.35 \text{ GJ/Mg}$$

$$J_{th} = 31.00 \text{ GJ/Mg}$$

$$J_e + J_{th} = 46.35 \text{ MJ/kg} \quad R = 2.02$$

$$m(\text{CO}_2) = 2.749 \text{ Mg CO}_2/\text{Mg explosive}$$

Ranger

Consumption of explosives in 2005: $m = 2293 \text{ Mg}$

Embodied E explosives

$$E_e = 2293 \cdot 15.75 = 35.20 \text{ TJ}$$

$$E_{th} = 2293 \cdot 31.00 = 71.08 \text{ TJ}$$

$$E_e + E_{th} = 107.19 \text{ TJ}$$

$$m(\text{CO}_2) = 2293 \cdot 2.749 = 6303 \text{ Mg}$$

- **Sulfuric acid H₂SO₄**

Production capacity on site is 250 Mg/day. Not clear if full-load days are meant or the year average. Here assumed it to be the year average.

$$\Rightarrow \text{production } m(\text{H}_2\text{SO}_4) = 365 \cdot 250 = 91250 \text{ Mg/a.}$$

At Ranger in 2005 H₂SO₄ produced from imported elementary sulfur S₈.



$$M = 32 \quad \quad \quad M = 98 \text{ g/mol}$$

$$1 \text{ Mg H}_2\text{SO}_4 \text{ from } 32/98 = 0.3265 \text{ Mg S}$$

$$\Rightarrow m(\text{S}) = 0.3265 \cdot 91250 = 29796 \text{ Mg}$$

H₂SO₄ consumption

$$\text{milled ore } m = 2.293 \cdot 10^6 \text{ Mg}$$

$$m(\text{H}_2\text{SO}_4) = 91250 / 2.293 \cdot 10^6 = 0.0398 \text{ Mg/Mg} = 40 \text{ kg H}_2\text{SO}_4/\text{Mg ore}$$

U₃O₈ in milled ore $m(\text{U}_3\text{O}_8) = 6604 \text{ Mg}$ (Table 2)

$$m(\text{H}_2\text{SO}_4) = 91250 / 6604 = 13.82 \text{ Mg/Mg}$$

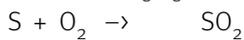
Reactions during leaching (oxidizing and dissolving) not disclosed, so it is not possible to calculate the stoichiometric H_2SO_4 consumption.

A large excess of H_2SO_4 is necessary to keep pH at 1.5 in a large volume of liquid. Other chemical species in the ore may also consume H_2SO_4 .

The production of from elemental sulfur is an exothermic process. The combustion heat of the sulfur is sufficient to run the H_2SO_4 plant. A part of the excess heat (steam) may be available for use outside of the H_2SO_4 plant, e.g. electricity generation (steam turbine)? But this electricity may be consumed internally by the H_2SO_4 plant itself.



if we write $\frac{1}{8} S_8 = S$, then:



$$m(S) = 1 \text{ Mg} \Rightarrow n(S) = 1 \text{ Mg} / 32 \text{ g/mol} = 0.03125 \text{ Mmol}$$

$$\Delta H = 0.03125 \cdot 10^6 \cdot 297 \cdot 10^3 = 9.281 \text{ GJ/Mg S}$$

This amount of heat has been imported to Ranger embodied in the imported sulfur S.

Indirect E of construction, maintaining and operating the H_2SO_4 plant are not known and are ignored in this study.

- **Sulfur S**

Average production energy input of elementary sulfur S (Mortimer [Q98] p28-29):

$$J_e = 1.5 \text{ GJ/Mg}$$

$$J_{th} = 40 \text{ GJ/Mg}$$

The specific CO_2 emission from the thermal energy input, assuming it is supplied as oil, is calculated according to the equation:

$$m(CO_2) = J_{th} (MJ) \cdot 75 \text{ g/MJ} \quad [Q27].$$

$$\Rightarrow m(CO_2) = 40 \cdot 75 = 3.000 \text{ Mg } CO_2/\text{Mg S}$$

Ranger

$$\text{Imported mass of sulfur at Ranger in 2005: } m(S) = 29796 \text{ Mg}$$

$$E_e = 29796 \cdot 1.5 = 44.69 = 44.7 \text{ TJ}$$

$$E_{th} = 29796 \cdot 40 = 1191.8 \text{ TJ}$$

$$m(CO_2) = 29796 \cdot 3.000 = 89388 \text{ Mg}$$

The combustion heat of the imported sulfur should be added to the energy consumption of the Ranger mine. This heat is used to produce sulfuric acid.

$$m(S) = 29796 \text{ Mg}$$

$$\text{reaction enthalpy} \quad J_{th} = 9.28 \text{ GJ/Mg S (see previous section)}$$

$$\text{Total generated heat} \quad E_{th} = 29796 \cdot 9.28 = 276.51 \text{ TJ}$$

$$\text{per Mg ore} \quad J_{th} = 276.51 / 2.293 = 120.59 \text{ MJ/Mg ore}$$

Sum sulfur production + combustion heat:

$$E_e = 44.7 \text{ TJ}$$

$$E_{th} = 1191.8 + 276.5 = 1468 \text{ TJ}$$

$$\text{Per Mg ore:} \quad J_e = 44.7 \text{ TJ} / 2.293 \text{ Gg} = 0.0195 \text{ GJ/Mg ore}$$

$$J_{th} = 1468 \text{ TJ} / 2.293 \text{ Gg} = 0.640 \text{ GJ/Mg ore}$$

- lime CaO

CaO produced from limestone CaCO_3 by heating. The reaction enthalpy of calcining calcium carbonate is:



$$M(\text{CaO}) = 56 \text{ Mg/Mmol}$$

$$\Rightarrow 1 \text{ Mg CaO} = 0.01786 \text{ Mmol}$$

$$\Rightarrow \Delta H = 0.01786 \cdot 0.177 = 3.16 \text{ GJ/Mg}$$

$$\text{Mortimer [Q98] p34 gives as embodied E of CaO: } J_e = 0.07 \quad \text{GJ/Mg}$$

$$J_{th} = 8.4 \quad \text{GJ/Mg}$$

$$J_e + J_{th} = 8.47 \quad \text{GJ/Mg}$$

These values look quite reasonable, as the practical energy input of a chemical process is always much higher than the thermodynamical minimum.

$$\text{Molar ratio } n(\text{CO}_2) : n(\text{CaO}) = 1 : 1$$

$$\text{mass ratio } m(\text{CO}_2) : m(\text{CaO}) = 44 : 56 = 0.7857$$

The chemical production is $m(\text{CO}_2) = 0.786 \text{ Mg CO}_2/\text{Mg CaO}$

The specific CO_2 emission from the thermal energy input, assuming it is supplied as oil, is calculated according to the equation:

$$m(\text{CO}_2) = J_{th} (\text{MJ}) \cdot 75 \text{ g/MJ [Q27].}$$

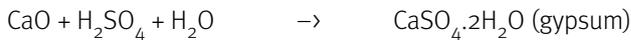
$$\Rightarrow m(\text{CO}_2) = 8.4 \cdot 75 = 0.630 \text{ Mg CO}_2/\text{Mg CaO}$$

The total specific CO_2 emission is

$$m(\text{CO}_2) = 0.786 + 0.630 = 1.416 \text{ Mg CO}_2/\text{Mg CaO}$$

Ranger

Lime used to neutralise raw acid solution.



$$M = 56 \text{ g/mol}$$

Assume half of the amount of sulfuric acid has to be neutralised

$$\Rightarrow m(\text{H}_2\text{SO}_4) = 0.5 \cdot 91250 \text{ Mg}$$

$$n(\text{H}_2\text{SO}_4) = (0.5 \cdot 91250) / 98 = 466 \text{ Mmol}$$

$$\Rightarrow n(\text{CaO}) = 466 \text{ Mmol}$$

$$m(\text{CaO}) = 466 \cdot 56 = 26096 \text{ Mg}$$

Embodied E

$$E_e = 26096 \cdot 0.07 = 1.83 \quad \text{TJ}$$

$$E_{th} = 26096 \cdot 8.4 = 219.2 \quad \text{TJ}$$

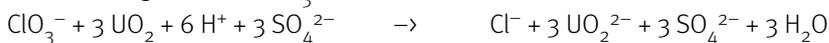
$$m(\text{CO}_2) = 26096 \cdot 1.416 = 36952 \quad \text{Mg}$$

- sodium chlorate NaClO_3

In the leaching process the tetravalent U(IV) ions are to be oxidized to hexavalent U(VI) ions to make them soluble in aqueous solution. In uraninite, coffinite and brannerite the majority of the uranium ions are tetravalent.

Commonly used oxidants in uranium ore processing are sodium chlorate NaClO_3 , manganese dioxide MnO_2 , iron(III) sulfate $\text{Fe}_2(\text{SO}_4)_3$ and sometimes also hydrogen peroxide H_2O_2 .

Assume Ranger uses NaClO_3 .



$$\text{molar ratio: } n(\text{ClO}_3^-) : n(\text{UO}_2) = 1 : 3$$

$$M(\text{NaClO}_3) = 106.4 \quad M(\text{UO}_2) = 270 \text{ g/mol}$$

stoichiometric mass ratio:

$$m(\text{NaClO}_3) : m(\text{UO}_2) = 106.4 : 3 \cdot 270 = 1 : 7.61$$

Encyclopedia Britannica: typically 1.5 kg sodium chlorate per Mg ore suffice to oxidize the uranium ions.

$$m(\text{NaClO}_3) = 1.5 \text{ kg}$$

$$n(\text{NaClO}_3) = 1500/106.4 = 14.1 \text{ mol}$$

Mortimer [Q98] p.252: consumption = 1.2 kg/Mg ore (G = 0.2% U₃O₈)

This figure is a somewhat higher than Encycl Britt cites, when corrected for the higher ore grade at Ranger:

$$m(\text{NaClO}_3) = 0.288/0.2 \cdot 1.2 = 1.7 \text{ kg/Mg ore}$$

Embodied E

$$\text{Mortimer [Q98] p252} \quad J_e = 21 \text{ GJ/Mg}$$

$$J_{th} = 24 \text{ GJ/Mg}$$

The specific CO₂ emission is calculated from the thermal energy input, assuming it is supplied as oil, according to the equation:

$$m(\text{CO}_2) = J_{th} (M) \cdot 75 \text{ g/MJ [Q27].}$$

$$\Rightarrow m(\text{CO}_2) = 24 \cdot 75 = 1.800 \text{ Mg CO}_2/\text{Mg NaClO}_3$$

Ranger

$$\text{Milled ore } G = 0.244\% \text{ U} \Rightarrow 2.44 \text{ kg U/Mg ore} = 2440/270 = 9.04 \text{ mol}$$

Stoichiometrically about 3 mol NaClO₃ would be consumed, or some 0.32 kg/Mg ore, so a large excess of NaClO₃ seems necessary. A part of it may be consumed in reactions with other chemical species in the ore.

Here assumed $m(\text{NaClO}_3) = 1.5 \text{ kg/Mg ore}$.

$$m(\text{ore}) = 2.293 \cdot 10^6 \text{ Mg}$$

$$\Rightarrow m(\text{NaClO}_3) = 1.5 \cdot 2.293 \cdot 10^6 = 3.44 \cdot 10^6 \text{ kg} = 3440 \text{ Mg}$$

$$\Rightarrow E_e = 21 \cdot 3440 = 72.2 \text{ Tj}$$

$$E_{th} = 24 \cdot 3440 = 82.6 \text{ Tj}$$

$$m(\text{CO}_2) = 1.800 \cdot 3440 = 6192 \text{ Mg}$$

Summary of embodied E of chemicals

In Table 6 the energy intensities of the most important chemicals used at Ranger are listed. The specific CO₂ emissions were calculated in the previous sections. The electric input is assumed to be provided by the nuclear system itself via the grid (on global scale, in the long run).

Table 6

Energy intensities of several chemicals used at Ranger. The CO₂ intensity of each chemical is the sum of the CO₂ from burning fossil fuels (direct energy input) and the CO₂ from the chemical reactions involved in the production of a given chemical. The fossil fuels supplying the direct E input are assumed to have an average CO₂ intensity of 75 g CO₂/MJ (equivalent to oil).

chemical used at Ranger	formula	Je GJ/Mg	Jth GJ/Mg	CO ₂ Mg/Mg	remarks
ammonia	NH ₃	35.9	50.7	4.935 *	from CH ₄ , H ₂ O, air
ammonium nitrate	NH ₄ NO ₃	15.75	31.00	2.749 *	from NH ₃ and HNO ₃
lime	CaO	0.07	8.4	1.416 *	from CaCO ₃
nitric acid	HNO ₃	9.80	25.69	2.159 *	from NH ₃ , H ₂ O, O ₂
sodium chlorate	NaClO ₃	21	24	1.800	
sulfur	S	1.5	40	3.000	
sulfuric acid	H ₂ SO ₄	0.028	2.50	0.188	from S, Q95 p.55
extraction-grade kerosene	C _x H _y	?	?	?	
complexing agent	R ₃ N	?	?	?	
ion exchange resins		?	?	?	

* Includes CO₂ from chemical reactions of the synthesis.

Table 7

Mass flows, embodied energy and (indirect) CO₂ emission of the chemicals consumed at Ranger in 2005 in ore processing, excluding and including explosives. Embodied energy and CO₂ emission of the explosives are included in the mining energy requirements.

chemical used at Ranger	chemical formula	mass Mg	Ee TJ	Eth TJ	Ee + Eth TJ	CO ₂ Mg
ammonia	NH ₃	706	25.35	35.79	61.14	3484
lime	CaO	26096	1.83	219.2	221.03	36952
nitric acid	HNO ₃	1350	13.23	34.68	47.91	2915
sodium chlorate	NaClO ₃	3440	72.2	82.6	154.80	6192
sulfur	S	29796	44.7	1191.8	1236.5	89388
sulfuric acid	H ₂ SO ₄	(91250)*	*	*	*	*
extraction-grade kerosene	C _x H _y	? **	?	?	?	?
complexing agent	R ₃ N	? **	?	?	?	?
sum excluding explosives		61388	157.31	1564.07	1721.38	138931
explosives		2293	35.20	71.08	106.28	6303
sum including explosives		63681	192.51	1635.15	1827.66	145234

* Here left blank. The sulfuric acid is produced on site from imported sulfur. The energy required for the production comes from the combustion of the sulfur.

** No data are available.

7 Road transport to and from Ranger

Equipment, spare parts, fuel, chemicals and other consumables are transported from Darwin to Ranger, a distance of some 250 km. The product of the mine, uranium oxide U_3O_8 , is transported back to Darwin.

Table 8
Quantities of materials transported to Ranger

chemical used at Ranger	mass Mg	see section	
diesel for electricity generation	20075	section 10	
diesel for mining equipment	9133	Table 4	
fuel oil for calciner	2661	section 5	
sum fuels	31869		
chemicals	63681	Table 7	including 2293 Mg explosives
other consumables	?		
equipment	?		
spare parts	?		
sum	95550+		

Energy consumed in transport

The mechanical energy input of transport to and from Ranger is calculated as follows.

Assume transport is done by road trains with a payload of 120 Mg and a shaft power of the engine $P = 0.600$ MW.

Loaded trip at 60 km/h \Rightarrow 60 s/km, at full power: $P = 0.600$ MW

$$\Rightarrow J_{\text{mech}} = 60 \cdot 0.600 = 36.0 \text{ MJ/km}$$

empty return trip at 90 km/h \Rightarrow 40 s/km, at half power $P = 0.300$ MW

$$\Rightarrow J_{\text{mech}} = 40 \cdot 0.300 = 12.0 \text{ MJ/km}$$

Per km hauling distance (with empty return trip)

$$J_{\text{mech}} = 48.0 \text{ MJ/km}$$

per Mg payload:

$$J_{\text{mech}} = 48.0/120 = 0.400 \text{ MJ/Mg.km}$$

Assume thermal conversion ratio diesel engines $r = 0.40$

$$\Rightarrow J_{\text{th}} = 0.400/0.40 = 1.00 \text{ MJ/Mg.km (empty return trip included)}$$

$m = 95550$ Mg, one way hauling distance $d = 250$ km, so:

$$E_{\text{th}} (\text{dir}) = 95550 \text{ Mg} \cdot 250 \text{ km} \cdot 1.00 \text{ MJ/Mg.km} = 23.89 \text{ TJ}$$

Indirect E

Mining dump trucks $J_{\text{th}} = 1.888 \text{ MJ/Mg.km}$

Assume less wear at road trucks. A rough estimate is

$$J_{\text{th}} (\text{indir}) = 1.0 \text{ MJ/Mg.km}$$

$$E_{\text{th}} (\text{indir}) = 95550 \text{ Mg} \cdot 250 \text{ km} \cdot 1.00 \text{ MJ/Mg.km} = 23.89 \text{ TJ}$$

sum direct + indirect energy input: $J_{th} (dir+indir) = 2.0 \text{ MJ/Mg.km}$

specific CO₂ emission:

$$m(\text{CO}_2) = 2.0 \cdot 75 = 150 \text{ g/Mg.km}$$

$$E_{th} (dir+indir) = 23.86 + 23.86 = 47.72 \text{ TJ}$$

$$m(\text{CO}_2) = 47.72 \cdot 75 = 3579 \text{ Mg}$$

If we assume an average payload of a road train of $m = 120 \text{ Mg}$, then the annual number of road transports would be:

$$N = 95550/120 = 797$$

or 2.18 at average, 2-3, transports a day.

8 Summary of ore processing energy requirements

Table 9

Specific energy consumption of ore processing activities. The figures of the direct energy input have been deduced in this study based on data from ERA (Q320 and Q321) as much as possible, supplemented with data from other sources, see previous sections. The CO₂ emissions are due to the thermal energy inputs only.

activity	direct J_e	direct J_{th}	indirect J_e	indirect J_{th}	unit	CO ₂ kg/Mg
crushing & grinding	81.55	–	4.70	37.87	MJ/Mg ore	2.84
leaching	42.4	–	1.5	10.6	MJ/Mg ore	0.80
extraction	3.6	–	1.8	5.4	MJ/Mg ore	0.41
sum	127.55	–	8.00	53.87	MJ/Mg ore	4.05
drying + calcining	?	20.6	?	3.5	GJ/Mg U	1808

Table 10

Direct and indirect energy consumption at Ranger by the ore processing activities in 2005. A number of energy inputs are not included, see text. Explosives are included in mining, see Table 6.

activity	direct E_{el} TJ	direct E_{th} TJ	indir E_{el} TJ	indir E_{th} TJ	indirect $E_e + E_{th}$ TJ	sum $E_{dir} + E_{indir}$ TJ	CO ₂ Mg
crushing & grinding	186.6	–	10.78	86.84	97.62	284.22	6513
leaching	97.2	–	3.44	24.31	27.75	124.95	1823
extraction	8.25	–	4.13	12.38	16.51	24.76	929
drying + calcining	?	102	?	17.30	17.30	119.3	8948
subtotal A	292.05	102	18.35	140.83	159.18	553.23	18213
chemicals	–	–	157.31	1564.07	1721.38	1721.38	138931
E content sulfur	–	276.51	– *	– *	– *	276.51	– *
transport	–	23.82	–	23.82	23.82	47.64	3573
subtotal B		300.33	157.31	1587.89	1745.20	2045.53	142504
total A + B	292.05	402.33	175.66	1728.72	1904.38	2598.76	160716

* Included in chemicals

Specific energy consumption of ore processing at Ranger

mined ore	$m(\text{ore}) = 2.293 \cdot 10^6$	Mg
uranium production	$m(\text{U}) = 4947$	Mg
sum electric input, direct +indirect	$E_e = 292.05 + 175.66 = 467.71$	TJ
sum thermal input, direct +indirect	$E_{th} = 402.33 + 1728.72 = 2131.05$	TJ
sum	$E_e + E_{th} = 467.71 + 2131.05 = 2598.76$	TJ
processing excl chem	$J_e + J_{th} = 553.23 \cdot 10^6 \text{ MJ} / 2.293 \cdot 10^6 \text{ Mg} = 241.27$	MJ/Mg ore
chemicals	$J_e + J_{th} = 1721.38 \cdot 10^6 \text{ MJ} / 2.293 \cdot 10^6 \text{ Mg} = 750.71$	MJ/Mg ore
energy content of sulfur	$J_{th} = 276.51 / 2.293 = 120.59$	MJ/Mg ore
transport	$J_{th} = 47.64 / 2.293 = 20.78$	MJ/Mg ore
Total ore processing	$J_e + J_{th} = 241.27 + 750.71 + 120.59 + 20.78 = 1133.34 \text{ MJ/Mg ore} = 1.133$	GJ/Mg ore
	$R = E_{th} / E_e = 2131.05 / 467.71 = 4.56$	
per Mg U:	$J_e + J_{th} = 2598.76 \text{ TJ} / 4947 \text{ Mg} = 0.5253$	TJ/Mg U

Not included in above figure are the energy inputs of:

- fresh water supply
- treatment of process water and pond water
- embodied energy of the extraction chemicals, kerosene and complexing agent
- direct and indirect energy of several partial processes of the ore processing chain, e.g. sulfuric acid plant, thickeners and centrifuge
- waste management
- construction of the mine

The energy input of each of these items may be of minor importance, but jointly the inputs may be a significant contribution to the overall specific energy consumption.

Energy production per Mg natural uranium

One reload charge	$m(\text{U}) = 162.48 \text{ Mg}$	
gross electricity production per reload	$E_e(\text{gross}) = 25.86 \text{ PJ}$	
gross electricity production per Mg U	$J_e(\text{gross}) = 25.86 / 162.48 = 0.1592$	PJ/Mg U
	$= 0.1592 \cdot 10^9 / 3.6 = 44.21 \cdot 10^6$	kWh/Mg U

CO₂ emission of the ore processing

processed ore	$m(\text{ore}) = 2.293 \cdot 10^6 \text{ Mg}$	
uranium production	$m(\text{U}) = 4947 \text{ Mg}$	
total CO ₂ emission	$m(\text{CO}_2) = 160716 \text{ Mg}$	
per Mg ore	$m(\text{CO}_2) = 160716 / 2.293 \cdot 10^6 = 0.07009$	Mg/Mg ore
per Mg uranium	$m(\text{CO}_2) = 160716 / 4957 = 32.49$	Mg CO ₂ /Mg U
per kWh	$m(\text{CO}_2) = 32.49 \cdot 10^6 / 44.21 \cdot 10^6 = 0.73485$	g CO ₂ /kWh

9 Discussion

According to Rotty et al. 1975 [Q95] the average specific energy consumption of the ore processing at the surveyed mines is:

$$J_{\text{milling}} = J_e + J_{\text{th}} = 1.062 \text{ GJ/Mg ore} \quad R = 7.0$$

According to above analysis the figure at Ranger is:

$$J_{\text{milling}} = J_e + J_{\text{th}} = 1.133 \text{ GJ/Mg ore} \quad R = 4.56$$

Note that the Ranger figure may be a low estimate, because a number of energy consuming processes are not included, see previous section. The real figure may be significantly higher, probably somewhere between 1.2 and 1.3 GJ/Mg ore.

The Ranger mine is one of the cheapest producing uranium mines of the world, due to its favourable conditions and properties, such as:

- Ranger has soft ore. The processing of hard ores will take considerably more energy.
- Ranger has a relatively high ore grade ($G = 0.23\% \text{ U}$). Lower ore grades mean milling larger quantities of rock to a finer mesh and the extraction will consume larger volumes of leaching and extraction liquids. Both factors increase the specific energy consumption.

For that reason one would expect the specific energy consumption per Mg ore at Ranger to be lower than the average figure found by Rotty et al.

The fact that the Rotty figures are based on the survey of a large number real uranium mines (in the USA), was the reason to choose these figures as a world average in the original study Storm&Smith 2008 [Q6].

This analysis demonstrates that the Rotty figures in fact are a low estimate. The world average figures should be significantly higher than the Ranger figure found in this analysis, which in itself is a low estimate.

In addition to the two factors regarding Ranger mentioned above, there are other factors giving rise to this statement, such as:

- Smaller mines have larger fixed energy input, for its construction, the processing plant and equipment.
- The world average includes alkaline ores. The leaching of alkaline ores takes much more energy than acidic ores (as at Ranger), due to the elevated temperatures (60-80 °C) and the consumption of chemicals with a high embodied energy.
- The drying and calcining of the wet cake to U_3O_8 may take more energy than estimated in this analysis.
- The transport distances of the supplies to the mine vary over a wide range and may be thousands of kilometers in some cases. More remote uranium mines have longer supply routes and consequently have a higher energy consumption.

10 Electricity at Ranger

Data from ERA [Q320]:

electricity generating capacity $P_{\text{max}} = 28 \text{ MW}$ maximum

Electricity also for township Jabiru.

5 x diesel generators + 1 steam turbine

The average load is $P_{\text{av}} = 10 \text{ MW}$

Consumption of destillate fuel $m(\text{diesel}) = 50\text{-}60 \text{ tons/day}$

diesel consumption

$$50 \text{ Mg/day} = 18250 \text{ Mg/a}$$

$$60 \text{ Mg/day} = 21900 \text{ Mg/a}$$

$$\text{assume average consumption} \quad m(\text{diesel}) = 20075 \text{ Mg/a}$$

$$\Rightarrow V(\text{diesel}) = 20075 / 0.839 = 23927 \text{ m}^3/\text{a}$$

$$\text{heat content (LHV)} \quad J_{\text{th}} = 36.0 \text{ GJ/m}^3$$

$$\text{density} \quad d = 0.839 \text{ Mg/m}^3$$

$$\text{thermal E from diesel} \quad E_{\text{th}} = 23927 \cdot 36.0 = 861.38 \text{ TJ}$$

$$m(\text{CO}_2) = 861.38 \cdot 75 = 64603 \text{ Mg}$$

$$\text{electricity generated with } P_{\text{av}} = 10 \text{ MW} \quad \Rightarrow \text{each year} \quad E_e = 315.36 \text{ TJ/a}$$

$$\text{thermal conversion efficiency } r = 315.36 / 861.38 = 0.366 = 36.6\%$$

The thermal conversion efficiency of the generators at Ranger is not disclosed by ERA. A value of $r = 40\%$ is the best achievable at current state of technology, so the figure of 36.6% seems plausible.

We may conclude that diesel import quantities, as stated by ERA, are almost exclusively used for electricity generation. A minor part may be used as fuel for the cars of the inhabitants of the township Jabiru.

Electricity consumption at Ranger

Estimated in this analysis:

$$\text{crushing \& grinding} \quad 186.6 \quad \text{TJ}$$

$$\text{leaching} \quad 97.2 \quad \text{TJ}$$

$$\text{extraction} \quad 8.25 \quad \text{TJ}$$

$$\text{sum} \quad 292.05 \quad \text{TJ}$$

This corresponds with $P_{\text{av}} = 292.05 \cdot 10^6 / (3600 \cdot 24 \cdot 365) = 9.26 \text{ MW}$ year average.

$$\text{drying \& calcining} \quad ?$$

$$\text{water treatment and water pumping} \quad ?$$

$$\text{township Jabiru} \quad ?$$

$$\text{sum} = 315.36 - 292.05 = 23.31 \text{ TJ} \quad ($$

This corresponds with $P_{\text{av}} = 10 - 9.26 = 0.74 \text{ MW}$ year average.

The unknown electric inputs above may be provided by the steam turbine, which in turn could be powered by the excess heat of the sulfur combustion (sulfuric acid plant) and/or by the waste heat from the calcining process (oil fuelled).

A rough estimate of the electricity consumption by the the inhabitants of the Jabiru township can be made as follows. Jabiru has some 1500 inhabitants. Assume an electricity consumption of 1500 kWh/yr per person.

$$E = 1500 \cdot 1500 = 225 \cdot 10^4 \text{ kWh/yr} = 225 \cdot 10^4 \cdot 3.6 \text{ MJ/yr} =$$

$$= (225 \cdot 10^4 \cdot 3.6) / 365 \cdot 24 \cdot 3600 = 0.257 \text{ MW average.}$$

If this figure is right, some 0.5 MW from the diesel generators would be consumed by the water treatment, calcining process and other processes in the mine,

The electric component of the indirect energy input of Ranger, embodied in materials, chemicals and equipment, are not converted into a fossil fuel equivalents. These energy inputs occurred in factories elsewhere in the world.

In the Storm&Smith 2008 [Q6] study the electric and thermal inputs are kept separated, to make the results independent on the local fuel mix. A number of uranium mines draw their electric power, or a part of it, from the regional grid. At Ranger the electricity is generated on site by diesel-fuelled generators. For that reason the results of this analysis are presented in two ways:

Method 1 according to the general methodology, followed throughout the [Q6] study

Method 2 reflecting the actual situation at Ranger.

Summary

Table 11

Direct and indirect energy input of mining plus milling at Ranger in 2005, presented according to method 1. This table is assembled from Tables 5 and 10. The lower two rows refer to method 2: the actual situation at Ranger, with the direct electricity consumption generated by diesel generators.

item	direct E_{el} TJ	direct E_{th} TJ	indir E_{el} TJ	indir E_{th} TJ	sum dir+indir electric TJ	sum dir+indir thermal TJ	CO ₂ Mg
mining	–	392	–	217	–	609	45640
explosives	–	–	35.2	71.1	35.2	71.1	6303
subtotal A, mining	–	392	35.2	288	35.2	680	51943
ore processing	292	102	18	141	310	243	18212
chem.+ S + transp	–	300	157	1588	157	1888	142502
subtotal B, milling	292	402	176	1729	468	2131	160716
total m + m (=A+B)	292	794	211	2016	503	2811	212659
<i>Ranger (method 2)</i>							
subtotal C, milling	–	1200	176	1229	176	2429	220563
total m+m (=A+C)	–	1592	211	2016	211	3609	272505

Method 2 – the actual situation at Ranger

The direct electric input from comes from diesel generators.

In the section 9 ‘Electricity at Ranger’ the average thermal to electricity conversion ratio has been deduced: $r = 36.6\%$. Consequently the thermal equivalent of the electricity consumed in the ore processing is:

$$E_e = 292.05 \text{ TJ}$$

$$\Rightarrow E_{th} = 292.05 / 0.366 = 797.95 \text{ TJ}$$

$$m(\text{CO}_2) = 861.38 \cdot 75 = 59846 \text{ Mg}$$

Substitution of these numbers in Table 11 gives the lower two rows of Table 11.

Specific energy consumption

Specific energy consumption of the uranium recovery at Ranger (mining + milling):

method 1 (see Table 11)

$$J_{m+m} = (E_e + E_{th})/m(\text{ore}) = 3313.57/2.293 \cdot 10^6 = 1.445 \text{ GJ/Mg ore}$$

$$J_{m+m} = (E_e + E_{th})/m(\text{U}) = 3313.57/4957 = 0.670 \text{ TJ/Mg U}$$

$$= 670 \text{ GJ/Mg U} \quad R = E_{th}/E_e = 5.6$$

method 2 (see Table 11)

$$J_{m+m} = (E_e + E_{th})/m(\text{ore}) = 3819.47/2.293 \cdot 10^6 = 1.666 \text{ GJ/Mg ore}$$

$$J_{m+m} = (E_e + E_{th})/m(\text{U}) = 3819.47/4957 = 0.772 \text{ TJ/Mg U}$$

$$= 772 \text{ GJ/Mg U} \quad R = E_{th}/E_e = 17.1$$

Energy production per Mg natural uranium

$$J_e(\text{gross}) = 25.86/162.48 = 0.1592 \text{ PJ/Mg} = 0.1592/3.6 = 44.21 \cdot 10^6 \text{ kWh/Mg U}$$

See section 8.

CO₂ emission of mining + ore processing

method 1

$$m(\text{CO}_2) = 212659/2.293 \cdot 10^6 = 0.0927 \text{ Mg/Mg ore}$$

$$m(\text{CO}_2) = 212659/4957 = 43.0 \text{ Mg CO}_2/\text{Mg U}$$

$$m(\text{CO}_2) = 43.0 \cdot 10^6/44.21 \cdot 10^6 = 0.972 \text{ g CO}_2/\text{kWh}$$

method 2

$$m(\text{CO}_2) = 272505/2.293 \cdot 10^6 = 0.1188 \text{ Mg/Mg ore}$$

$$m(\text{CO}_2) = 272505/4957 = 55.1 \text{ Mg CO}_2/\text{Mg U}$$

$$m(\text{CO}_2) = 55.1 \cdot 10^6/44.21 \cdot 10^6 = 1.246 \text{ g CO}_2/\text{kWh}$$

Table 12

Summary of the results (rounded): direct and indirect energy input at Ranger in 2005

activity	direct E $J_{th} + J_e$ GJ/Mg U	indirect E $J_{th} + J_e$ GJ/Mg U	sum $J_{th} + J_e$ GJ/Mg U
mining	79	65	145
milling	141	385	525
sum	220	450	670

Discussion

In the Q6 study the following specific energy input of mining and milling are adopted as the average of the world uranium mines (see Part D4 of Q6):

soft ores: $J_{m+m} = 2.33 \text{ GJ/Mg ore} \quad R = 3.0$

hard ores: $J_{m+m} = 5.55 \text{ GJ/Mg ore} \quad R = 0.64$

In de section ‘Summary of the mining energy requirements’ we explained the reasons why the world average mining energy input is expected to be considerably higher than at Ranger. In the section ‘Summary of the ore processing E requirements’ is explained why the same holds true for the ore processing.

Important variables determining the energy input per Mg uranium recovered are the ore grade G and the recovery yield Y of the mining + milling.

Y = mass of recovered U/mass of U in ore (*in situ*).

Extraction of U from a given ore at low yield takes less energy than at higher yield from the same ore. The processing of a low-grade ore takes more energy than the processing of a higher-grade ore at the same yield. For that reason we introduced the following equation 2 to calculate the energy consumption of uranium recovery per Mg uranium as function of Y and G :

$$J_{m+m} \quad (U) = 100 \cdot J_{m+m}(\text{ore}) / Y \cdot G \quad \text{eq 1}$$

Y = recovered fraction
 G = grade in % U

For soft ores this equation becomes:

$$J_{m+m} \quad (U) = 233 / Y \cdot G \quad (\text{GJ/Mg U}) \quad R = J_{th} / J_e = 7.5 \quad \text{eq 2}$$

for hard ores:

$$J_{m+m} \quad (U) = 555 / Y \cdot G \quad (\text{GJ/Mg U}) \quad R = J_{th} / J_e = 0.64 \quad \text{eq 3}$$

The extraction yield (or recovery yield) itself is a function of the ore grade, at a given state of extraction technology. The [Q6] study applied an empirical relationship between Y and G , demonstrated by Figure 5. Above equations are based on this extraction yield relationship. By lowering the yield the energy consumption will be also lowered.

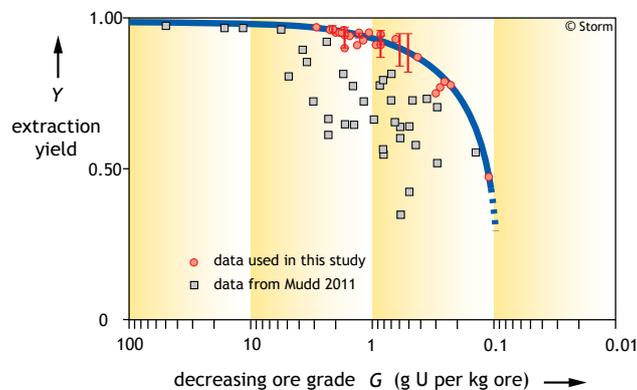


Figure 5

Empirical relationship between recovery yield and ore grade. For more details and references see report L21p21 *Uranium mining*. No distinction is made between soft ores and hard ores, although hard ores tend to let lower yields than soft ores at the same grade.

As Ranger has a soft ore equation 2 can be applied to calculate the energy consumption per Mg uranium.

$$J_{m+m} = 233 / Y \cdot G \quad \text{GJ/Mg U}$$

Ore grade in situ is $G = 0.23\%$ U (see Table 1)

The extraction yield is taken from the diagram of Figure 5: $Y = 0.98$. Substitution of the Ranger figure $Y = 0.892$ (Table 1) is not applicable here, as the equation is based on Figure 5.

$$\Rightarrow \begin{aligned} J_{m+m} &= 233 / 0.98 \cdot 0.23 = 1034 \text{ GJ/Mg U} & R = J_{th} / J_e = 7.5 \\ J_{th} &= (7.5 / 8.5) \cdot 1034 = 912 \text{ GJ/Mg U} \end{aligned}$$

$$m(\text{CO}_2) = 912 \cdot 75 = 68.43 \text{ Mg CO}_2/\text{Mg U}$$

$$m(\text{CO}_2) = 68.43 \cdot 10^6 / 44.21 \cdot 10^6 = 1.5478 \text{ g CO}_2/\text{kWh}$$

If calculated starting from the mill head grade $G = 0.244\% \text{ U}$

$$J_{m+m} = 233 / 0.98 \cdot 0.244 = 974 \text{ GJ/Mg U} \quad R = J_{th}/J_e = 7.5$$

$$\Rightarrow J_{th} = (7.5/8.5) \cdot 974 = 849 \text{ GJ/Mg U}$$

$$m(\text{CO}_2) = 912 \cdot 75 = 64.46 \text{ Mg CO}_2/\text{Mg U}$$

$$m(\text{CO}_2) = 68.43 \cdot 10^6 / 44.21 \cdot 10^6 = 1.458 \text{ g CO}_2/\text{kWh}$$

As expected the results from equation 2 are higher than the figures of Ranger, for reasons explained above. However, the differences are minor. Note that the Ranger analysis is not complete. Several energy contributions of the mining and milling activities are not included in the Ranger figures, due to lack of data.

Table 13

Comparison of the results of Ranger analysis with the results of the equation for the world average uranium mine

method	G ore grade % U	Y recovery yield	J_{m+m} $J_e + J_{th}$ GJ/Mg U	R J_{th}/J_e	CO ₂ g/kWh
Ranger method 1	0.244	0.892	670	5.6	0.97
Ranger method 2	0.244	0.892	772	17.1	1.25
equation 2 world average	0.244	0.98	974	7.5	1.46
equation 2 world average	0.23	0.98	1034	7.5	1.55

12 Conclusions

- The figures of the specific energy consumption of the uranium recovery at Ranger are slightly higher than the figures found by the method of Storm&Smith 2008 [Q6], which is assumed to hold for the average of the world's uranium mines.
The Ranger figures as found in this analysis are low estimates in itself, due to an incomplete data set.
- At Ranger significantly lower values than the world average were to be expected, because the Ranger mine operates at the energy-lean end of the wide spectrum of the world uranium mines, owing to the favourable conditions of Ranger.
- This process analysis validates the equation applied in the [Q6] study to calculate the energy consumption of the uranium recovery.
This means that the specific energy consumption of the uranium recovery at a world average uranium mine as calculated by that method, will not lead to an overrated value.
- Noteworthy aspect of above conclusion is that the energy consumption figures of mining and milling from the 1970s are still valid in 2005.
- The data provided by ERA on the energy consumption at Ranger concerns the diesel import for electricity generation only. Diesel fuel for the mining equipment (excavators and dump trucks) and fuel oil for the calcination of wet cake are not mentioned in the ERA publications.
- The indirect energy consumption at Ranger, embodied in chemicals, equipment, auxiliary materials and maintenance comprise some $\frac{2}{3}$ of the total energy consumption per mass unit uranium recovered. These indirect energy inputs are not mentioned either in the ERA publications
- The mining energy input of open pit mining strongly depends on several variables:
 - overburden ratio (stripping ratio)
 - hauling distance
 - specific consumption of explosives
 - thermal conversion ratio of the diesel engines
 - hardness of the rock (difficult to quantify)
- The ore processing (milling) energy input strongly depends on:
 - ore grade
 - hardness of the rock
 - mineralogy of the ore

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